

## RHYTHM AND ALIGNMENT IN MACEDONIAN ENLARGED STRESS DOMAINS

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This paper proposes that optionality of stress in so-called enlarged stress domains in Macedonian is best handled by Optimality Theory. My analysis primarily harnesses the constraints proposed in Hung 1995 to account for languages other than Macedonian. More specifically, in order for this sort of free variation to be attested, the Optimality-theoretic constraints must be defined as generally as possible, I therefore reject certain refinements in Hung's constraint definitions. In addition, I show that even though Macedonian is a trochaic language, a universal constraint requiring iambic foot form nonetheless plays a role—known in the literature as Emergence of the Unmarked—in selecting the two best-formed candidates. Finally, I propose a tie in the ranking of two constraints in the hierarchy.<sup>1</sup>

This paper's organization is as follows. I begin in section 1 with some background on metrical-grid theory, using so-called stress clash in English as an example. Section 2 then summarizes the portions of Hung 1995 relevant to this paper. Next, section 3 introduces the Macedonian data and reviews the relevant literature. Finally, I present my own analysis of this phenomenon in section 4.

### 1 Metrical grids

The examples in (1a-b) show two typical disyllabic English words, (1a) usually bears stress on the second syllable, while (1b) is end-stressed. The bottom row stands for the segmental representation.<sup>2</sup>

<p>(1) a</p> <table style="margin-left: 20px;"> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level 1</td> </tr> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level Ø</td> </tr> <tr> <td style="text-align: center;">four</td> <td style="text-align: center;">teen</td> <td></td> </tr> </table>	x	x	Level 1	x	x	Level Ø	four	teen		<p>b</p> <table style="margin-left: 20px;"> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level 1</td> </tr> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level Ø</td> </tr> <tr> <td style="text-align: center;">wo</td> <td style="text-align: center;">men</td> <td></td> </tr> </table>	x	x	Level 1	x	x	Level Ø	wo	men	
x	x	Level 1																	
x	x	Level Ø																	
four	teen																		
x	x	Level 1																	
x	x	Level Ø																	
wo	men																		

[Hung 1995: 9]

A grid is then erected over the segmental representation in successively higher levels (Lieberman 1975). Each syllable is represented by an *x* on level Ø, while a level-1 *x* is drawn over each stressed syllable.

One use of metrical grids is in formalizing so-called stress clash. Observe that while *fourteen* has final stress when it stands alone in (1a), when a word with initial stress immediately follows, the stress on *fourteen*, represented by the first *x* on level 1, shifts to its initial syllable, as in (2a-b).

<p>(2) a</p> <table style="margin-left: 20px;"> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td></td> </tr> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td></td> </tr> <tr> <td style="text-align: center;">four</td> <td style="text-align: center;">teen</td> <td style="text-align: center;">wo</td> <td style="text-align: center;">men</td> <td></td> </tr> </table>	x	x	x	x		x	x	x	x		four	teen	wo	men		→	<p>b</p> <table style="margin-left: 20px;"> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level 1</td> </tr> <tr> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: left;">Level Ø</td> </tr> <tr> <td style="text-align: center;">four</td> <td style="text-align: center;">teen</td> <td style="text-align: center;">wo</td> <td style="text-align: center;">men</td> <td></td> </tr> </table>	x	x	x	x	Level 1	x	x	x	x	Level Ø	four	teen	wo	men	
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The intuition behind stress clash is that stress peaks should not be bunched together too closely.

Another facet of metrical grids is the nuclear stress rule, which allows a single syllable to be the most prominent one in a larger constituent. For example, the phrase in (2b) has two equally prominent peaks, English requires the rightmost such peak to have phrasal prominence. This is accomplished by adding another level to the grid and drawing a mark over the rightmost level-1 grid mark as in (3).

<sup>1</sup> Versions of this work were presented at LingCircle and the Institute of Cognitive Science, both at the University of Colorado, Boulder. I am grateful to audiences at both of these venues, as well as at MALC 1999, especially Beth Heywood and Fiona McLaughlin, for useful comments and discussion. However, any mistakes that remain in this paper are my own responsibility. Thanks also to the University of Colorado Linguistics Department for a travel grant to present the MALC talk.

<sup>2</sup> For simplicity, throughout the paper I use the orthographic representation to represent the segments, in none of the data is this a crucial factor. I also insert spaces between the syllables in order to align the vowels under their respective columns of grid marks. Level Ø is better defined universally as 'stressable units'—some languages, such as Indonesian, routinely ignore syllables with schwa-like vowels for the purposes of assigning level-Ø grid marks (Kenstowicz 1994: 554, citing Cohn 1989). Contrary to Hung (1995), I've also added levels and numbers to each grid example, numbering the levels beginning with Ø.



Hung 1995 employs Optimality Theory (Prince and Smolensky 1993) as a means of formalizing the interaction of the rhythmic phenomena. Hung redefines (6a) as the **Rhythm** constraint in (7)

- (7) **Rhythm** Every  $x$  of height  $n$  (where  $n \geq \emptyset$ ) must be followed by a column of height  $n - 1$  such that there is no intervening column of height greater than  $n - 1$

x		Level $n$	
x	x	Level $n - 1$	[= Hung 1995 10]

The vast majority of the languages discussed by Hung (1995) assign a level- $\emptyset$  grid mark to each syllable and a level-1 mark to the head of each metrical foot, which usually bear stress of some sort<sup>3</sup>. For example, the level-1 marks in the English examples above in (1) through (5) represent foot heads.

Hung doesn't consider Macedonian, but does discuss Latin as an antepenultimate-stress language. In order to account for Latin, Hung (1995: 136) modifies her model considerably by introducing an intermediate grid level to represent each *footed* syllable. Thus, in (8) level  $\emptyset$  shows each syllable, as above in the English examples, level 1, each footed syllable, and level 2, each *head* of a foot.

(8)	x		Level 2	(= stressed syllable)
	x*	x	Level 1	(= footed syllable)
	x	x	Level $\emptyset$	(= syllable)
	( $\Sigma$ )	( $\sigma$ )		[Legend: $\Sigma$ = stressed syllable, $\sigma$ = unstressed syllable, ( ) = foot edges]

The intuition behind the grid in (8) is the same descending-staircase pattern as in (7), but with more levels. This configuration achieves the desired stress location, but with *two* final unstressed syllables.

Notice, however, that by Hung's definition in (7), the grid in (8) entails one violation of the **Rhythm** constraint. The level-1 mark in the first column of the grid—shown with an asterisk—is followed by a column of equal height, (7) calls for the following column to be level  $\emptyset$  in height. Other grids, in (9a-c), with various configurations reflecting three different footings, illustrate this point.

(9)	a	x*	b	x*	c	x	Level 2
		x		x		x	Level 1
	x	x	x	x	x	x	Level $\emptyset$

Each of the grids in (9) has one non-rhythmic grid mark, shown with an asterisk. The level-2 mark in each of (9a-b) is not followed by any column of height 1, thus incurring one violation of **Rhythm**. In (9c), on the other hand, the level-2 grid mark satisfies **Rhythm** because it is followed by a column of height 1, the offending mark in (9c) is the final level-1 mark because no column of height  $\emptyset$  follows it.

Faced with unwanted ties of the sort exemplified by (9a-c), Hung fine-tunes her definition of the **Rhythm** constraint above in (7). Comparing specifically the patterns in (8) and (9c), while also discussing grids like (9a-b), Hung (1995: 142-143) writes the following (with Hung's original italics):

- (10) "Intuitively, we can see that only in [(8)] is nonfinality truly met, reflecting the observation given by Mester (1994: 17) that '(in final position) avoid foot-head and avoid footing' [ ] It seems then that Latin calls for a refinement of the definition of **Rhythm**, not only should we look at the bad grid marks, but we should also look at the good grid marks. More specifically, we prefer the good grid marks to be in *different* columns."

I object to this refinement on both conceptual and empirical grounds. Firstly, Optimality-theoretic constraints should be maximally simple, ties should be broken by other constraints. Indeed, as I argue below in section 4 using Macedonian data, this refinement is unnecessary because other constraints can

<sup>3</sup> In fact, Hung (1995) usually begins numbering her grid levels with 1. As I mention above in a footnote, I've translated her notation non-critically throughout this paper to begin with  $\emptyset$  (in keeping with Kenstowicz 1994: 554-55 and other works).

be used to rule out the grids in (9a-c) Moreover, the refinement in (10) causes the grammar to undergenerate attested forms in Macedonian, the grid in (9a) is attested, as exemplified below in (18a)

Before turning to the Macedonian data, it's also worth pointing out that other, less rhythmic grids exist The various grids in (11) show successively more violations of **Rhythm** than in (8) or (9a-c)

(11) a	x		b	x*	c	x	x*	x*	Level 2
	x*	x*		x*		x*	x*	x*	Level 1
	x	x	x	x		x	x	x	Level Ø

These grid configurations are clearly not a challenge to the definition of **Rhythm** above in (7)

To summarize this section, I've shown how Hung's **Rhythm** constraint, along with her proposed intermediate grid level pertaining to footed syllables, accounts for one antepenultimate-stress language In section 4 below I apply this constraint and others to the Macedonian data introduced in section 3

### 3 Macedonian enlarged stress domains

I now turn in the remainder of this paper to Macedonian, a Balkan Slavic language In this section I begin by presenting the data on simplex words, then proceed to discuss enlarged stress domains

Macedonian is relatively exotic cross-linguistically in exhibiting a so-called final trisyllabic stress window Most words have stress on the antepenultimate syllable, as exemplified in (12a-c)

(12) a	bra tu čed	'cousin'	
b	bra tu če di	'cousins'	
c	bra tu če di te	'the cousins'	[Koneski 1983 118]

(Stress is indicated with an underlined vowel ) Adding various suffixes to the word changes the number of syllables Adding the vowel *i* in (12b) entails the addition of one syllable, which shifts the stress rightward from *bra* to *tu* Likewise, adding *te* in (12c) shifts the stress rightward by yet another syllable

In words of one or two syllables the stress is regularly on the first syllable It is also possible for trisyllabic or longer words to exceptionally take penultimate or final stress Thus, stress can fall anywhere in the last three syllables of the word This is the so-called final trisyllabic stress window

Of particular interest is a length distinction in vowels between antepenultimate stress (in words of three or more syllables) and penultimate/final stress in smaller words (or in longer words lexically marked for penultimate or final stress) According to Koneski 1983 66-67, penultimate or final stress involves lengthening (and on-glide diphthongization particularly in some western dialects) of the stressed syllable's vowel For example, (13a) shows a disyllabic word with penultimate stress, lengthening of the stressed syllable's vowel, and a *w* on-glide As soon as this word gains a third syllable, as in (13b), the stressed syllable loses vowel length and loses on-glide diphthongization as well

(13) a	p <sup>w</sup> ɔ lno	'full <sub>neut sg</sub> , fully'	b	pɔ lno to	'the full (one) <sub>neut sg</sub> '
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(Vowel length is indicated here with a colon ) For similar details, see also Koneski 1952/1967 140-41

Koneski (1983 68) briefly mentions a specific western dialect, spoken in Žernonica (Reka), in which a similar distinction between the two kinds of stressed syllables is attested (here *ā* = schwa)

(14) a	Final stress	b Penultimate stress	c Antepenultimate stress	d Unstressed
	pɔt 'road'	pɔtɔt 'the road'	pātišta 'roads'	nā pāt 'on the road'

In this dialect final- and penultimate-stressed syllables show augmentation—if not outright vowel length—from *ā* to *o*, in (14a-b) Antepenultimate-stressed vowels pattern with unstressed ones, (14c-d)

The distinctions in (13) and (14) suggest to me that final- and penultimate-stressed syllables are bimoraic, while antepenultimate-stressed and unstressed syllables are monomoraic Whereas



table, rows (19) through (21) show stress in simplex (non-ESD) words, in which a single LxWd corresponds to a single PrWd, while various ESD environments are arrayed in (22) through (26)

	Underlying representation	a Penultimate/final stress with long vowel	b Antepenultimate stress with short vowel	
(19)	$\sigma$	$[(\Sigma)]$		<i>Legend</i>
(20)	$\sigma\sigma$	$[(\Sigma^+)\sigma]$		$\sigma$ Syllable
(21)	$\sigma\sigma\sigma$		$[\cdot(\Sigma\sigma)\sigma]$	$\Sigma$ Stressed $\sigma$
(22)	$\sigma+\sigma$	$[(\Sigma\cdot)+\sigma]$		Vowel length
(23)	$\sigma\sigma+\sigma$	$[\sigma(\Sigma)+\sigma]$	$[(\Sigma\sigma)+\sigma]$	+ LxWd boundary
(24)	$\sigma\sigma\sigma+\sigma$	$[\sigma\sigma(\Sigma\cdot)+\sigma]$		[ ] PrWd edges
(25)	$\cdot\sigma+\sigma\sigma$		$[\dots(\Sigma+\sigma)\sigma]$	.. Additional $\sigma(s)$
(26)	$\sigma+\dots\sigma\sigma\sigma$		$[\sigma+\cdot(\Sigma\sigma)\sigma]$	( ) Foot edges

A gap in the table indicates that this form is not attested for this underlying representation. For example, a trisyllabic or larger simplex word—shown in row (21) of the table and exemplified above in (12a-c), (13b), (14c), and (15c)—has only the antepenultimate-stress, short-vowel option, listed in (21b)

Grids corresponding to each of the simplex patterns in (19a), (20a), and (21b) are shown in (27a-c) [= (15a-c)], respectively. As with simplex words of less than three syllables in size, the disyllabic domain in (22) results in penultimate stress (with vowel-lengthening and -diphthongization), the grid for this word is shown in (27b). Trisyllabic or longer ESDs, just like simplex words, generally take antepenultimate stress, as illustrated in (23b), (25b), and (26b), these have the same grid as (27c)

(27) a	x*	b	x*	c	x	Level 2
	x*		x		x*	Level 1
	x		x	x	x	Level $\emptyset$
	( $\Sigma$ )		( $\Sigma$ )	$\sigma$	( $\Sigma$ $\sigma$ )	$\sigma$

Exceptional-stress simplex words take the grids in (27a-b). The grid in (27a) occurs only with simplex words, there is no ESD counterpart of the grid in (27a) because ESDs require at least two syllables

In summary, among ESDs of three syllables or more in total size, the primary exception is when the ESD's second LxWd is monosyllabic, as in (23a) and (24a), exemplified above by *prek<sup>w</sup> rid* (18a) and *okol<sup>w</sup> rid* (17), respectively. The riddle is how to account for the required antepenultimate stress in (21b), (25b) and (26b), while requiring only penultimate stress—and vocalic length—in (19a), (20a), (22a), and (24a), yet allowing ESDs with  $2\sigma+1\sigma$  shape to take either option, as in (23a-b)

#### 4 Optimality-theoretic analysis

I propose a solution similar to Hung's (1995: 140-51) treatment of Latin, summarized above in section 2. My model involves the constraints in (28). All but the **Lapse** constraint are either proposed, adopted, or adapted by Hung.<sup>4</sup> Crucially, I rely on Hung's *first* definition of **Rhythm** in (7), not her refinement of it

<sup>4</sup> Aside from **Rhythm**, already defined above in (7), **Weight-to-Stress**, **Fill**, and **Ft-Form** are defined in Hung 1995: 30, 5, and 30 (respectively). Instead of **Rtmost-Ft**, Hung (1995: 145) uses **Edgemost**, and unfortunately fails to define this constraint. The definition of **Rtmost-Ft** in (28b) is my interpretation of Hung's intended definition, see Billings 1997 for discussion. **Rtmost-Ft** is not identical to the **Edgemost** (**pk**, **LJR**, **Word**) defined by Prince and Smolensky (1993: 39) and used in their (1993: 43-66) analysis of Latin. The former requires feet to be PrWd-final, while the latter requires the stress peak to be final. Because high-ranked **Rhythm** essentially entails that only one foot be present, this distinction is not crucial. **Ft=μμ**, although not actually defined in Hung 1995: 147, refers to Prince and Smolensky's (1993: 59) **Rhythmic Harmony**. Finally, **Al-Lx-Str** is my modification of the rather malleable **Ahgn** constraint family, cf., for example, Hung 1995: 79, 104.

- (28) a { **Weight-to-Stress** (a heavy  $\sigma$  is stressed) › **Ft= $\mu\mu$**  (a foot is exactly two moras in weight) }  
 b >> **Rhythm** [as defined in (7) above, *not* as redefined in (10)]  
 >> **Rtmost-Ft** (feet are as far to the right as possible)  
 >> **Al-Lx-Str** (align each end of a LxWd with a stressed syllable)  
 >> **Lapse** (prohibits consecutive, unfooted syllables)<sup>5</sup> [Green and Kenstowicz 1995]  
 c { **Fill** (prohibits epenthesis) = **Ft-Form** (if the foot has a head, it is on the right) }

The two constraints in (28a), **Weight-to-Stress** and **Ft= $\mu\mu$** , are undominated. The consequence of this is that every heavy syllable in Macedonian is stressed, and every foot is bimoraic—either two light syllables or one heavy syllable. In addition, other undominated constraint(s) of some sort must be present to generate the intermediate grid level shown in (8) above.<sup>6</sup> Yet another undominated constraint, which may be part of *Gen*, requires each PrWd to have a main stress. Since none of **Weight-to-Stress**, **Ft= $\mu\mu$** , or these other undominated constraints is violated, they cannot be ranked relative to each other.

The undominated constraints then each dominate the rest of the hierarchy. Furthermore, **Rhythm** › **Rtmost-Ft** › **Al-Lx-Str** › **Lapse**. Finally, the two constraints in (28c) are crucially tied, see below regarding this tie's exact properties. The ranking of the constraints in (28c) relative to **Rtmost-Ft**, **Al-Lx-Str**, or **Lapse** cannot be determined precisely, however, **Fill** and **Ft-Form** must be dominated by **Rhythm**.<sup>7</sup> For simplicity of presentation, I've listed **Fill** and **Ft-Form** below **Lapse** in the tableaux.

Some constraints are violated categorically, while others are gradient. For example, **Weight-to-Stress** and **Ft= $\mu\mu$**  are either violated or satisfied, these are categorical constraints. An example of a gradient constraint is **Rhythm**, where the violating marks are simply counted from the grid. For instance, (27b-c) each have one **Rhythm**-violating grid mark, while (27a) has two such violations.<sup>8</sup>

The following tableaux corroborate the rankings in (28). I do not list any undominated constraints in the tableaux because of width limitations (and because they do not interact in any interesting way with any other constraints). Additionally, because each candidate in the tableaux satisfies the undominated constraints, each foot in the various candidates consists of either a single heavy syllable or two light syllables. The constraints in (28b-c) are arrayed across the top of each tableau in their precise ranking, I point out each part of this ranking as it is proven by a particular tableau. (Attested forms are indicated with a pointing finger [☞] in the left-hand column of each tableau. Fatal violations of any unattested candidate are indicated with an exclamation point [!] The shading reflects the overall ranking of the tableaux taken as a group, not the ranking proven by any single tableau.)

I begin in tableau (29) with a simplex two-syllable word, cf. (13a) and (14b) above for data. In each tableau I show the input (= underlying representation) between curly braces—e.g., {  $\sigma$   $\sigma$  } in (29). The only outputs which satisfy the dominant constraints in (28a) are these four candidates, arrayed as rows of the tableau. (29a) shows a disyllabic trochee, (29b) shows a disyllabic iamb, (29c) shows a final heavy syllable's own foot, and (29d) shows the same heavy-syllable foot built over the initial syllable.

<sup>5</sup> A pre-Optimality formulation of **Lapse** is shown in (6b) above. Green and Kenstowicz (1995: 1) actually define **Lapse** as follows: "adjacent unstressed [ ] syllables must be separated by a foot boundary." That is, it is also possible for adjacent unstressed syllables to be *inside* a foot. This distinction is irrelevant to this study, because of the superordinate **Ft= $\mu\mu$**  constraint in (28a), such unbounded feet wouldn't survive the competition until the relatively lower-ranked **Lapse** constraint.

<sup>6</sup> Hung (1995: 136) does not define such a constraint. Nor do I attempt to do so here. Among other things, this yet undefined constraint—in conjunction with the relatively dominant **Rhythm** constraint, both ranked above (iambic) **Ft-Form**—would induce trochaic feet. Hung adds that introducing the intermediate layer in (8) "would not have the same rhythmic advantage in an iambic system. Since the iambic foot-head is on the right, it will never be followed by a non-head" (1995: 136, fn. 2).

<sup>7</sup> If **Fill** were ranked above **Rhythm**, then structures like [ (  $\Sigma$  )  $\sigma$  ], shown with a grid above in (15b), would not be attested. Instead, the less rhythmic \*[ (  $\Sigma$   $\sigma$  ) ] would result (without vocalic length), thus form's grid would have one level-2 mark (over the first syllable), two level-1 marks, and two level- $\emptyset$  marks. This would result in two violations of **Rhythm**: one for each level-1 grid mark. (By transitivity, if **Rhythm** › **Fill**, and **Fill** is tied with **Ft-Form**, then **Rhythm** › **Ft-Form**.)

<sup>8</sup> The violations of **Rhythm** in (27a-c) are forced by the undominated constraints, it's impossible to satisfy **Weight-to-Stress**, **Ft= $\mu\mu$** , and the constraint(s) requiring the intermediate grid level without having at least the one **Rhythm**-violating grid mark in each of (27b-c). Furthermore, because of minimal-word considerations, it's impossible to satisfy all the undominated constraints in a monosyllabic word, (27a), without two **Rhythm** violations (since no down-stepping is possible word-finally).

(29) {  $\sigma$  } **Rhythm** » { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** , { **Fill = Ft-Form** } }

a	$\begin{array}{c} x \\ x^* \ x^* \\ x \ x \\ [ ( \Sigma \ \sigma ) ] \end{array}$	**!		*			*
b	$\begin{array}{c} \ \ \ x^* \\ x^* \ x^* \\ x \ x \\ [ ( \Sigma \ \sigma ) ] \end{array}$	**!*		*			
c	$\begin{array}{c} \ \ \ x^* \\ \ \ \ x^* \\ x \ x \\ [ \ \ \sigma \ (\Sigma \cdot) ] \end{array}$	**!		*			*
d	$\begin{array}{c} x^* \\ x \\ x \ x \\ [ ( \Sigma ) \sigma ] \end{array}$	*	*	*			*

Comparing (29c-d) proves that **Rhythm** » **Rtmost-Ft**. These two candidates fare equally with regard to every other constraint (one asterisk under each of **Al-Lx-Str** and **Fill**, and no asterisks under **Lapse** or **Ft-Form**). At this point the ranking is only { **Weight-to-Stress** , **Ft= $\mu\mu$**  } » **Rhythm** » **Rtmost-Ft**.

An explanation of the remaining constraints' violations in (29) is in order. (29d) violates **Rtmost-Ft** once because the foot is separated from the right edge of the word by one syllable. Next, in (29a-c) the feet are at the right edge, satisfying **Rtmost-Ft**. All four candidates violate **Al-Lx-Str**, either one edge or the other of the LxWd does not coincide with a stressed syllable. In (29a, d) the right edge has no stress, while in (29b-c) the left edge is stressless. There are no **Lapse** violations by virtue of there being no sequences of unstressed syllables. The epenthetic vowel length in (29c-d) violates **Fill**, while (29a-b) show no epenthesis. Lastly, (29a) violates **Ft-Form** because there's a head-initial trochee.

Next, consider monosyllabic grids, as in (15a) and (27a) above. The pseudo-tableau in (30) shows how two violations of **Rhythm** are necessary to ensure satisfaction of the constraints in (28a).

(30) {  $\sigma$  } **Rhythm** » { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** , { **Fill = Ft-Form** } }

	$\begin{array}{c} x^* \\ x^* \\ x \\ [ ( \Sigma ) ] \end{array}$	**					*
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I call this a pseudo-tableau because there is no actual constraint interaction. Accordingly, because the best-formedness determination has already taken place above **Rhythm**, all the cells shown are shaded.

To summarize up to this point, in PrWds of less than three syllables a single foot formed from a single heavy syllable is chosen as optimal. In monosyllabic PrWds there is no other option, of course. In disyllabic forms it is possible to produce a foot from two light syllables, as in (29a). However, because such a foot at the very right edge of the word violates **Rhythm** twice, the more rhythmic candidate in (29d) is selected. This explains why penultimate and final stress entails vocalic length.

With trisyllabic simplex words, tableau (31) formalizes how antepenultimate stress without vowel length is optimal, see (12a), (13b), or (14c) above for examples. Furthermore, there now being a sufficient number of syllables in the PrWd, tableau (31) additionally shows how the **Al-Lx-Str** constraint is instrumental in selecting a candidate with stress on a syllable at one edge of the LxWd.



(31) {  $\sigma \sigma \sigma$  } **Rhythm** » { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** , { **Fill = Ft-Form** }

a	$\begin{array}{c} x \\ x^* \quad x^* \\ x \quad x \quad x \\ [ \sigma \quad ( \Sigma \quad \sigma ) ] \end{array}$	** *!		**			*
b	$\begin{array}{c} x \\ x^* \quad x \\ x \quad x \quad x \\ [ ( \Sigma \quad \sigma ) \quad \sigma ] \end{array}$	*	*	*			*
c	$\begin{array}{c} \quad \quad x^* \\ \quad \quad x^* \\ x \quad x \quad x \\ [ \sigma \quad ( \sigma \quad \Sigma ) ] \end{array}$	** *!		*			
d	$\begin{array}{c} \quad \quad x^* \\ x^* \quad x \\ x \quad x \quad x \\ [ ( \sigma \quad \Sigma ) \quad \sigma ] \end{array}$	** *!	*	**			
e	$\begin{array}{c} \quad \quad \quad x^* \\ \quad \quad \quad x^* \\ x \quad x \quad x \\ [ \sigma \quad \sigma \quad ( \Sigma ) ] \end{array}$	** *!		*	*	*	*
f	$\begin{array}{c} \quad \quad \quad x^* \\ \quad \quad \quad x \\ x \quad x \quad x \\ [ \sigma \quad ( \Sigma ) \quad \sigma ] \end{array}$	*	*	**!			*
g	$\begin{array}{c} x^* \\ x \\ x \quad x \quad x \\ [ ( \Sigma ) \quad \sigma \quad \sigma ] \end{array}$	*	**!	*	*		*

As tableau (31) shows, although each of the candidates has at least one violation of **Rhythm**, any foot that is exactly at the right edge of the PrWd will incur at least two **Rhythm** violations, as in (31a, c, e)

Additionally, the candidates with disyllabic iambic feet, in (31c-d), show that at least two **Rhythm** violations occur, as in (31d), no matter how far the foot is from the PrWd's right edge. If the iambic foot is at the right edge, in (31c), then a third violation is incurred. Candidates (31b, d) each have a two-syllable foot in the very same position, the foot in (31b) is a trochee, while in (31d) it is an iamb. The fact that an iambic foot is consistently less rhythmic—given the additional intermediate level introduced above in (8)—than a trochee, there is no need for a trochaic foot-form constraint to mirror the inherently iambic **Ft-Form** constraint in (28c), the effect of which will be seen in tableau (39) below.

The candidates that survive the **Rhythm** constraint—namely, (31b, f, g)—move on to the next constraint **Rtmost-Ft**. Because of **Rhythm**'s inherent aversion to the right edge of the PrWd, each of (31b, f, g) incurs at least one violation of **Rtmost-Ft**. However, (31g) incurs comparatively more violations of **Rtmost-Ft** and is eliminated by that constraint. This leaves only (31b, f), **Al-Lx-Str** decides between these two candidates by virtue of (31f) having stress at *neither* end of the LxWd. Thus, (31b) survives as the attested candidate. I should emphasize that the tableaux so far have not proven any rankings below **Rtmost-Ft** (namely, the rankings of **Rtmost-Ft** » **Al-Lx-Str** » **Lapse**, as well as the tie between **Fill** and **Ft-Form**). These additional rankings are established in the tableaux yet to come.



As feet move successively further from the right edge of the PrWd, more and more violations of **Rtmost-Ft** are incurred. Additionally, with only one foot per candidate, more and more **Lapse** violations result. Nonetheless, the antepenultimate-stress, disyllabic-foot candidate (34b) is selected by **Lapse**.

I turn now to ESDs. The remaining tableaux of this paper formalize this phenomenon's unique properties. Tableau (35) shows an ESD, the second LxWd of which is trisyllabic, as in (26b) above.

(35)  $\{\sigma\} + \{\sigma\sigma\sigma\}$  **Rhythm** » **{ Rtmost-Ft » Al-Lx-Str » Lapse , {Fill = Ft-Form } }**

a	$[\sigma + \sigma(\Sigma\sigma)]$	** *!		*****	*		*
b	$[\sigma + (\Sigma\sigma)\sigma]$	*	*	***			*
c	$[(\Sigma + \sigma)\sigma\sigma]$	*	**!	**	*		*
d	$[\sigma + \sigma\sigma(\Sigma^*)]$	** *!		***	**	*	
e	$[\sigma + \sigma(\Sigma^*)\sigma]$	*	*	*****!	*	*	
f	$[\sigma + (\Sigma^*)\sigma\sigma]$	*	**!	***	*	*	
g	$[(\Sigma^*) + \sigma\sigma\sigma]$	*	**!*	**	**	*	

As above in tableaux (31), (32), and (34), the leading candidates in this tableau, (35b, e), incur only one violation each of **Rhythm** and **Rtmost-Ft**, pushing the optimality determination to **Al-Lx-Str**. However, unlike the simplex (1 e, non-ESD) forms in the preceding tableaux, ESDs have *four* LxWd edges. And (35b) is preferable because its stressed syllable coincides with the left edge of the second LxWd.

Essentially the same result is achieved with ESDs ending in a disyllabic LxWd, cf. (25b) above.

(36)  $\{\sigma\} + \{\sigma\sigma\}$  **Rhythm** » **{ Rtmost-Ft » Al-Lx-Str » Lapse , {Fill = Ft-Form } }**

a	$[\sigma + (\Sigma\sigma)]$	** *!		***			*
b	$[(\Sigma + \sigma)\sigma]$	*	*	**			*
c	$[\sigma + \sigma(\Sigma^*)]$	** *!		***	*	*	
d	$[\sigma + (\Sigma^*)\sigma]$	*	*	***!		*	
e	$[(\Sigma^*) + \sigma\sigma]$	*	**!	**	*	*	

Candidate (36b) wins because its main stress corresponds to two of the four LxWd edges of the input (1 e, both edges of the first LxWd). In (36d) the stressed syllable coincides with only one LxWd edge (the left edge of the second LxWd). So far, however, the ESDs in tableaux (35) and (36) have results identical to non-ESD forms with the same number of syllables in tableaux (32) and (31), respectively.

Nor does an ESD composed of two monosyllables—cf. (22a)—fare any differently than a simplex disyllable, in tableau (29) above. This is because **Rhythm** makes the optimality determination.

(37)  $\{\sigma\} + \{\sigma\}$  **Rhythm** » **{ Rtmost-Ft » Al-Lx-Str » Lapse , {Fill = Ft-Form } }**

a	$[(\Sigma + \sigma)]$	** *!		**	*		*
b	$[\sigma + (\Sigma^*)]$	** *!		**	*	*	
c	$[(\Sigma^*) + \sigma]$	*	*	**	*	*	

However, the unique circumstances of two LxWds for every PrWd in an ESD bring about a different stress pattern when the second LxWd in the ESD consists of exactly one syllable, as (38) and (39) show.

Franks's (1987, 1989) monosyllabic-head effect—cf (24a) above—is formalized in tableau (38)

(38)  $\{\sigma\sigma\sigma\} + \{\sigma\}$  **Rhythm** » { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** , {**Fill** = **Ft-Form** }

a	[ $\sigma\sigma(\Sigma + \sigma)$ ]	**!		***	*		*
b	[ $\sigma(\Sigma\sigma) + \sigma$ ]	*	*	****!			*
c	[ $(\Sigma\sigma)\sigma + \sigma$ ]	*	**!	***	*		*
d	[ $\sigma\sigma\sigma + (\Sigma)$ ]	**!		**	**	*	
e	[ $\sigma\sigma(\Sigma.) + \sigma$ ]	*	*	***	*	*	
f	[ $\sigma(\Sigma:) + \sigma$ ]	*	**!	****	*	*	
g	[ $(\Sigma.)\sigma\sigma + \sigma$ ]	*	**!*	**	**	*	

Because the stressed syllable in (38b) fails to coincide with any of the LxWd edges, the candidate in (38e) is selected. The ESD-penultimate stressed syllable coincides with the first LxWd's right edge

Finally, the heart of the ESD phenomenon is formalized in tableau (39), corresponding to (23a-b) above. Unlike the other tableaux of this paper, not one but two candidates are attested in free variation

(39)  $\{\sigma\sigma\} + \{\sigma\}$  **Rhythm** » { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** , {**Fill** = **Ft-Form** }

a	[ $\sigma(\Sigma + \sigma)$ ]	**!		***			*
b	[ $(\Sigma\sigma) + \sigma$ ]	*	*	***			*
c	[ $\sigma\sigma + (\Sigma)$ ]	**!		**	*		
d	[ $\sigma(\Sigma) + \sigma$ ]	*	*	***		*	
e	[ $(\Sigma)\sigma + \sigma$ ]	*	**!	***	*	*	

As with most of the preceding tableaux, two candidates fare equally with regard to **Rhythm** and **Rtmost-Ft**. Unlike the preceding ESD tableaux, however, two candidates fare equally with regard to **Al-Lx-Str**, with three violations each. (39b) stresses the initial syllable, which coincides with the first LxWd's left edge, the second-syllable stress in (39d) coincides with a different edge—this time the same LxWd's right edge. The algorithm then moves on to **Lapse**, which is not violated by either candidate.

For the first and only time in this analysis, the two tied constraints—**Fill** and **Ft-Form**, defined in (28c) above—affect the outcome. **Fill** prohibits epenthetic material from appearing in the output, while **Ft-Form** requires a disyllabic foot to have the second syllable as its head. These constraints are ranked as a conjunctive local tie, where “two constraints are merged into a single constraint [ ]”. A candidate violates a tie if it violates a constraint that is part of this tie” (Muller 1999: 6). In other words, a violation of **Fill** is just as adverse as a **Ft-Form** violation. Thus, the two candidates in (39b, e) are both attested because they fare equally with regard to every member in the constraint hierarchy.

The tie between (39b, e) is especially instructive because it illustrates two different kinds of optionality. In addition to the tied constraints discussed in the preceding paragraph, the two candidates fare equally—albeit in very different ways—with regard to the **Rhythm** and **Rtmost-Ft** constraints. I discuss **Rtmost-Ft** first. The stressed syllables in (39b, e) do not coincide with the same LxWd edge, in (39b) the alignment is with the first LxWd's left edge, while in (39e) it is with the same LxWd's right edge. A similar situation leads to the tie in the **Rhythm** column as well. Grnds corresponding to (39b, e) are shown in (27c, b), respectively. The **Rhythm**-violating grnd mark in (39b) is on level 1, while in (39e) it is caused by a level-2 grnd mark. This sort of tie—where two distinct stress configurations or grnd patterns fare equally—is possible only with maximally simple constraint definitions. Hung's refinement of **Rhythm**, quoted in (10) above, would incorrectly predict only one of the attested forms, i.e., (39b).

Using the tie between **Fill** and **Ft-Form** established in tableau (39), it is now possible to fill in the remaining rankings in the hierarchy. Given that **Fill = Ft-Form**, comparing candidates (38b, e) proves that **Al-Lx-Str** » **Lapse**, these two candidates fare equally on every other constraint in the hierarchy (again, bearing in mind that **Fill** and **Ft-Form** essentially function as a single constraint). Furthermore, given the ranking of **Rhythm** » **Rtmost-Ft** from (29c-d) and of **Al-Lx-Str** » **Lapse** determined from (38b, e), it is finally possible to rank **Rtmost-Ft** » **Al-Lx-Str**. Only the ranking of **Rtmost-Ft** » **Al-Lx-Str** will result in the attested form in (32b). Thus, the ranking in (40) is established.

(40) Dominant constraints » **Rhythm** » { { **Rtmost-Ft** » **Al-Lx-Str** » **Lapse** } , { **Fill = Ft-Form** } }

“Dominant constraints” here refer to those listed in (28a) and the others discussed right after (28a-c)

To summarize the paper so far, then, I have shown that many of the constraints and mechanisms proposed by Hung (1995) for another penultimate-stress language, Latin, are directly applicable to Macedonian. Moreover, the free variation in stress in tableau (39) corroborates Hung’s **Rhythm** constraint (in its simplest formulation). Next, **Al-Lx-Str**, the constraint which requires LxWd edges to coincide with the stressed syllable, is crucial in generating the monosyllabic head effect. In addition, **Rhythm**, in conjunction with the undominated **Weight-to-Stress** and **Ft=μ** constraints, insures that a *trochaic* foot-form constraint is not needed in addition to the inherently *iambic* **Ft-Form** constraint used here. Indeed, the latter is necessary even in this overwhelmingly trochaic language to counterbalance the effects of **Fill**. I’ve also shown that Optimality Theory can capture the seeming irregularities in stress location associated with the monosyllabic-head effect in Macedonian enlarged stress domains. Crucially, maximally simple constraints are required, two candidates tied with regard to one constraint nearly always are resolved by non-ties on other constraints lower in the hierarchy. Remarkably, every single constraint used here is also proposed elsewhere in the literature, proving the universality of this theory.

#### 5 Remaining unresolved phenomena and directions for future research

This is not to say that the entire problem of Macedonian ESD stress is explained. I have intentionally set aside ESDs in which verbal clitics intervene between the two LxWds. The syntactic environments in (16a-b) also allow intervening verbal clitics. A few examples are listed in (41) through (43).

##### (41) Final LxWd is longer than one syllable

a	ne b <sub>1</sub> rekol not would said	‘He would not have said’	1σ + 1 clitic + 2σ
b	koj b <sub>1</sub> go kazal who would it told	‘Who would tell it?’	1σ + 2 clitics + 2σ
c	koga b <sub>1</sub> vlegol whom would entered	‘When would he enter?’	2σ + 1 clitic + 2σ
d	ne sme mu go prikažuval not 2 PL him it told	‘We didn’t tell it to him’	1σ + 2 clitics + 5σ

##### (42) Final LxWd is exactly one syllable (ESD is four syllables or larger)

a	što b <sub>1</sub> mu zel whom would him taken	‘What should he take to him?’	1σ + 2 clitics + 1σ
b	ne b <sub>1</sub> mu go dal not would him it given	‘He should not have given it to him’	1σ + 3 clitics + 1σ

##### (43) Final LxWd is exactly one syllable (ESD is exactly three syllables)

a	ne b <sub>1</sub> dal ~ ne b <sub>1</sub> dal not would given	‘He should not have given’	1σ + 1 clitic + 1σ
b	koj go zel ~ koj go zel who it taken	‘Who took it?’	1σ + 1 clitic + 1σ

Franks (1987, 1989) and Elson (1993) discusses such data in greater detail. Forms with a polysyllabic final LxWd, in (41), result in the predictable antepenultimate stress with no lengthening of the stressed vowel. In (42), not surprisingly, the monosyllabic-head effect surfaces, with penultimate stress and vocalic length. Finally, in (43) the same alternation in stress as in tableau (39) is attested. The problem is that the forms in (42) and the penultimate-stress options in (43), under the analysis presented above, rely on the existence of a right-hand LxWd edge coinciding with the stressed penultimate syllable.

To date, the syntax of ESDs has not been adequately explained. For example, Elson (1993: 158, n. 4) and Rudin *et al.* (1999: 561) point out that the environment in (16b)—*wh* word (+ clitics) + verb—does not correspond to any syntactic constituent, both papers also show several prosodic tests which suggest certain syntactic configurations. Lacking any definitive syntactic account of Macedonian ESDs, however, I leave the issue open. Possibly, these phonological facts will inform future syntactic analyses.

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