

Low Speed Virtual Wind Tunnel Simulation For Educational Studies In Introducing Computational Fluid Dynamics And Flow Visualization

BY

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Abstract

Computational Fluid Dynamics tools have been around for a couple of decades now. With the growing computing power, the speed and accuracy of these tools have improved tremendously. The ability to visualize flow is now a common feat on the powerful and speedy computers. Students of aerodynamics studies would benefit greatly not only with the abilities to simulate flows, but also to visualize them. Unfortunately, to use such tools, one has to be quite well-versed in the language of complex computational programming.

The challenge for most aerospace or aeronautical undergraduate student is to understand the complicated world of aerodynamics through series of mathematical equations. Without the ability to see how flows behave in motion, the student can only imagine how the stall occurs over an airfoil or how the turbulent air looks like after separation happens. In this case, a (flow separation) picture will definitely speak more than a thousand words (or equations). Computational Fluid Dynamics offers the above capabilities, but with a catch – the user must know aerodynamics well enough so as not to blindly believe all the computer data being spewed out is correct. The phrase “garbage in, garbage out” will describe the situation most adequately if the user has little knowledge about setting the boundary conditions or fluid properties. Also, the more complex the simulation is, the longer it requires to compute the solution. Nowadays, as in all processes, flow simulation is expected to work fast, if not instantaneous. However, in the world of Computational Fluid Dynamics, typically the accuracy of the simulation is sacrificed for the speed in obtaining the solution or vice versa.

To simplify the complex mathematics involved in Computational Fluid Dynamics, the Low Speed Virtual Wind Tunnel simulation is created. This program cuts down on the required information from the user in order to perform a simulation. The program is capable of taking an airfoil coordinates that is generated according to the user's specifications and provide a "quick and dirty" estimation of aerodynamic characteristics like lift, drag and pitching moment. In addition to that, a pressure flow field across the airfoil is created to show the pressure distribution of the airfoil. With further modification to the input coordinates data, an animation of the flow is produced. Thus this "picture speaks more than a thousand words" (or equations).

By utilizing the speed of the computation, there are restrictions to the results obtained. The visualizations of the flows are extremely telling but the aerodynamics characteristics are skewed when flow separation occurs. Unsteady flow in flow separation requires longer computing time and information to give a more complete analysis. Therefore, results from high angles of attack in stall condition should be taken with some skepticism.

Thus, the Low Speed Virtual Wind Tunnel simulation program remains an acceptable tool for students who are beginners to the field of aerodynamics and Computational Fluid Dynamics. The ability to visualize the flow field enhances the understanding of the mathematical flow equations is undeniable. This also gives the students an early taste of the power of Computational Fluid Dynamics in the years to come that would play a crucial role in the ever developing aerospace industry.

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1. Introduction

Computational fluid dynamics (CFD), a fast growing component in computer-aided engineering, plays a very vital role in reducing costs and turn-around times in the design and development of aircraft. The CFD simulations and wind tunnel testing represent an important phase to any aircraft design, particularly for brand new design concepts. These complex simulations or wind tunnel results show whether the aircraft aerodynamics behaviors are acceptable for the purpose of its design. One such example is the Boeing 777 that utilized intricate CFD simulations extensively in its design development of components like the wing, wing-body fairing and engine/airframe integration. Physical testing of aircraft models in wind tunnels has remained useful in design validation and analysis even though CFD simulations are becoming more popular and reliable than before. To fine-tune CFD simulations and authenticate the aerodynamic characteristics of aircraft designs, prior wind tunnel studies are compared to the simulated CFD results of the same wind tunnel models.

Since its inception in the 1950s, CFD has matured progressively and advanced greatly especially in the past two decades. In the early days of CFD, supercomputers were needed to process the long and tedious CFD calculations. Later, researchers moved away from the expensive and limited availability of supercomputers by running workstations in parallel processing to accomplish the CFD tasks. With the emergence of powerful personal computers in the last two decades, most of the CFD simulations can now be achieved relatively quickly compared to the workstations.

Two features of the CFD outshine wind tunnel testing and the element of cost is one of such advantages. During the preliminary aircraft design phase, wind tunnel models

undergo multiple modifications. These modifications, which can lead to higher costs, are necessary in order to optimize design configuration or allow iteration changes. Fortunately, CFD simulations do not require these costly and time-consuming model modifications. There is no expensive model alteration to carry out or down time in the wind tunnel while the model is being fixed. These CFD simulations can apply changes to the virtual models as quickly as they can be modified in the computers to obtain new results. This time saving benefit is another edge that CFD simulation has over the traditional wind tunnel testing. In the same amount of time needed to conduct a wind tunnel testing, many simulations could be completed to produce far more extensive results and detailed flow field information that wind tunnel results are incapable of showing. For full configuration aircraft models, these extensive results can show the detail flow field interaction of the wing-fuselage interface whereas the wind tunnel results can only present the overall aerodynamics behaviors. In the design phase, especially in the preliminary stage, it would be impractical to study several major configuration changes without the use of CFD. The ability to obtain results with CFD in a short amount of time stands out against wind tunnel testing that requires time to create or modify a model.

Although CFD offers quicker solutions, this does not mean that wind tunnel testing is obsolete. Wind tunnel data still play a key role in the design validation of configurations, but CFD simulations can take a step further with complex configurations analysis and enhance rapid prototyping capability. There is still a considerably strong need for basic wind tunnel experiments to validate CFD data in areas such as flow stability, 3-D boundary layers and flow separation characteristics. Through data

validation, CFD simulations accuracy will steadily improve and then will be capable of simulating results even for a conceptual design before going into a wind tunnel. When used in conjunction with wind tunnel testing, CFD can help to determine and refine wind tunnel experimental data due to interferences from the tunnel walls and model mounting system. Thus, this creates a synergistic use of CFD and wind tunnels that will aid the development of more effective and reliable simulations.

As powerful as CFD simulation can be, it also have weaknesses and pitfalls if the user applies it inappropriately. The simulation's sophistication is the strength and the weakness that presents to researchers or aerodynamics students with little or no CFD experience will face. Most current CFD tools are too difficult for new users with limited aerodynamics knowledge to perform simulations by themselves. These non-CFD users will also be looking at a rather challenging task in grid generation. With knowledge in fluid dynamics but not in computational mechanics, they do not know which grid to use or how to specify minimum spacing.

To address such difficulties and make CFD a relatively user-friendly tool, the current project attempts to combine the advantages of CFD and wind tunnel testing to provide a unique educational and experimental platform for aerodynamics study. The Low-speed Virtual Wind Tunnel (LSVWT) computer program will simulate the KU large wind tunnel that is capable of running at a maximum velocity of 185 miles per hour and allow users to have a hands-on experience of a typical wind tunnel operation to obtain aerodynamics results for preliminary design analysis.

The goal of this Low-speed Virtual Wind Tunnel (LSVWT) program is to apply the simplified Computational Fluid Dynamics (CFD) calculations while providing an

easy and intuitive interface with a wind tunnel. Prior research in the past has focused on either wind tunnel testing or CFD separately. This simulation will combine the ability of swift design changes in CFD with the reliability and the repeatable, trusted wind tunnel results.

Continuing from this introductory chapter, Chapter 2 provides a literature review based on the wind tunnel simulation and its capabilities. In Chapter 3, the detailed setup for the CFD will be described, along with the grid generation for a virtual airfoil model. A comparison and validation of the 2-D airfoil CFD simulated results is discussed in Chapter 4. In the same chapter, a complete visualization of the CFD results at different angles of attack is also presented. Finally, Chapter 5 contains conclusions and recommendations for further enhancements on the LSVWT.

2. Theoretical Background and Literature Review

Throughout the design phase of a vehicle, improvements and modifications usually occur that lead to design changes. Although design iteration is not completely new to CFD, its use in conjunction with wind tunnel data is not often adequately explored enough. Previous studies of CFD did not include wind tunnel data, and focused on reducing the time needed to solve for accurate solution convergence. The numerical wind tunnel researched by Bell¹ demonstrated the computational mechanics knowledge that is required to carry out a CFD simulation of a wind tunnel and the focus was to speed up the time to obtain the solution. It is important to solve for the solution convergence in a relatively short time so that the vehicle design is examined and improved in the same amount of time it takes to conduct a single wind tunnel experiment. This is illustrated in Figure 2.1.

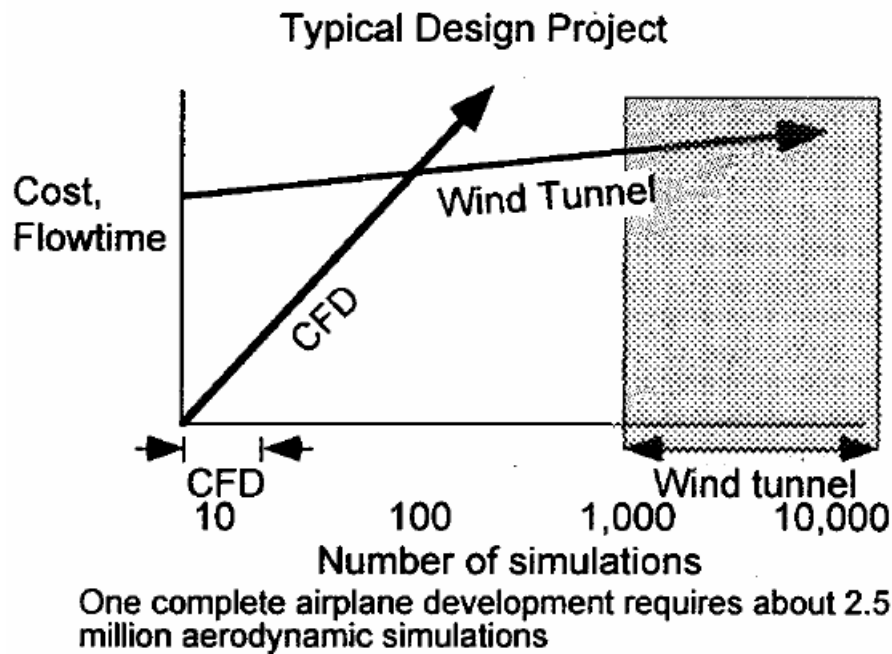


Figure 2.1 – Cost and time relationship with respect to CFD and wind tunnels.²

Saving time is one of the key features in using CFD. However, no matter how fast a CFD solution is presented, the results do not bear much technical value if the CFD modeling is not supported by any wind-tunnel-based experimental data. This type of numerical simulation would only provide the insight for better mathematical code optimization, and not improving the vehicle design significantly.

To create synergism between CFD and wind tunnel testing, several accurate tests are used to form the building blocks of the validation of the computational results. The validation of data starts with a 2-D aerodynamics analysis on an airfoil, with the focus on the aerodynamics characteristics and the stall behavior. Once validated, an airfoil model design can be inserted into the CFD simulation to be tested for aerodynamic behavior and flight characteristics. Design corrections can be made so that the desirable behavior and characteristics are obtained in the simulation. This process of design optimization creates a refined wind tunnel model vehicle that should perform very well in aerodynamic terms and demonstrate desirable flight characteristics in the testing. Tinoco² showed evidences of the conjunction usage of CFD and wind tunnel testing in influencing and optimizing Boeing 737, 757, 767 and 777 component designs. The components that were influenced by CFD are shown in Figure 2.2. This synergistic use, however, needed experienced CFD users.

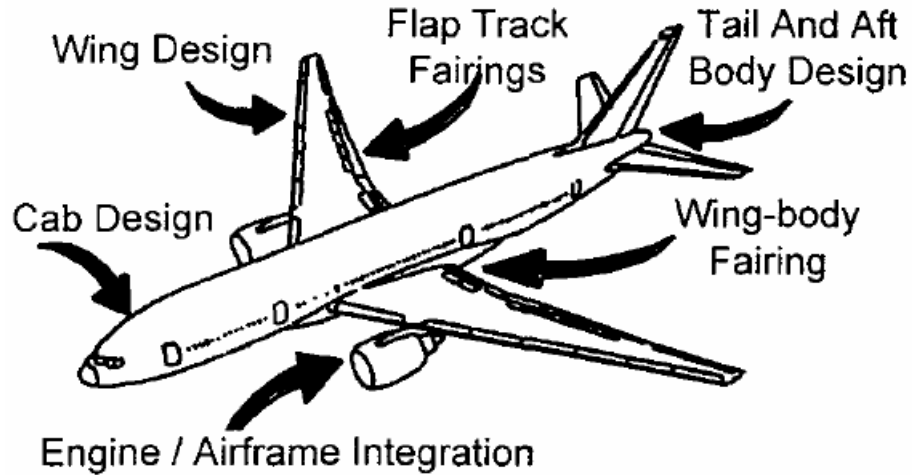


Figure 2.2 - Boeing 777 design components affected by CFD.²

For non-CFD users, Fujii and Miyaji³ of Japan created a web-based CFD tool to process grid generation, flow simulation and visualization with limited body configurations. But their application was narrowed to rocket and rocket nozzle configurations. There is a handful of commercial CFD software available but are too complicated for inexperienced users.



Figure 2.3 – NASA Virtual Wind Tunnel application.⁶

NASA's Glenn Research Center has been developing the application of virtual tunnels for many years and even more so recently with the improvement of computing power. One of these virtual tunnels named "Immersive Connection to RemoteWind Tunnel" is shown in Figure 2.3. However, due to the complexity of the programs, other than the CFD specialists, most of the communities do not have easy access to these CFD tools. For instance, the state-of-the-art Unsteady Flow Analysis Toolkit (UFAT) developed at NASA Ames Research Center is a pioneering tool in visualizing unsteady flow simulations.

The UFAT program can plot streaklines and time lines that are time-dependent particle tracing techniques. Those techniques are very effective for visualizing unsteady flows like an unsteady flow data surrounding an oscillating airfoil shown in Figure 2.4. However, to obtain those results, users are required to understand and setup the complex conditions in CFD. As powerful as UFAT is, it is not a program that is easily understood by any user.

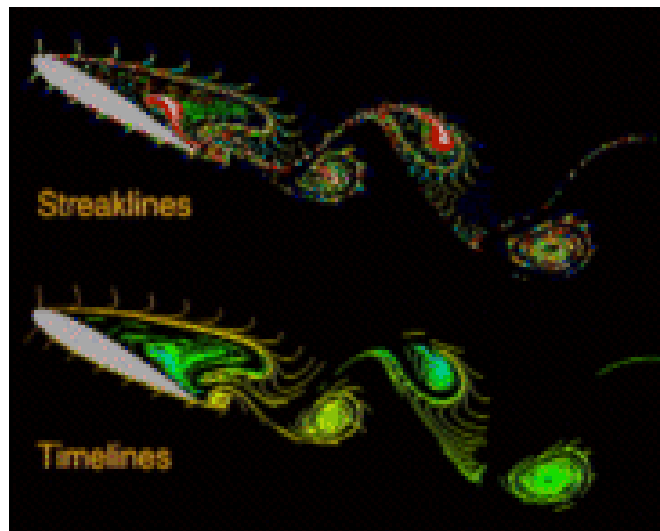


Figure 2.4 – Unsteady flow of streaklines and time lines over an airfoil.⁷

A simple aircraft-related CFD simulation is needed and thus the Low-speed Virtual Wind Tunnel (LSVWT) concept is born.

This project will show how the LSVWT handles the two main pieces of the program in grid generation and flow simulation. The panel method approximation is applied in the 2-D airfoil analysis with the capabilities of generating coordinates for 4 and 5-digit NACA airfoils. FlowLab, a commercial software, enhances the flow field analysis and a second source to verify the panel method result. FlowLab is the simplified version of its more complex parent FLUENT. The 2-D analysis in FlowLab uses the same FLUENT commercial code that utilizes the Navier-Stokes equations to solve for various types of flow and turbulence models. GAMBIT, a grid generation program, works with FLUENT to discretize the domain to form structured and/or unstructured grid in order to solve the Navier-Stokes equations for inviscid or viscous flow.

The goal in creating LSVWT is to provide non-CFD researchers or students a user interface that quickly set-up to CFD analysis. With the LSVWT controls modeled after the KU large wind tunnel user interface, students can familiarize themselves with the actual large wind tunnel through the usage of LSVWT.

3. Low Speed Wind Tunnel Design

The Low-speed Virtual Wind Tunnel (LSVWT) program consists of a 2-D analysis portion. LabVIEW is the primary software used in designing the user interface to perform simulated wind tunnel testing and 2-D flow analysis. LabVIEW is chosen to build the program because the KU large wind tunnel uses the very same software for its wind tunnel data acquisition. The commonality in the wind tunnel controls is reflected in LSVWT's control panel layout. Figure 3.1 shows the schematics of the large wind tunnel diagram.

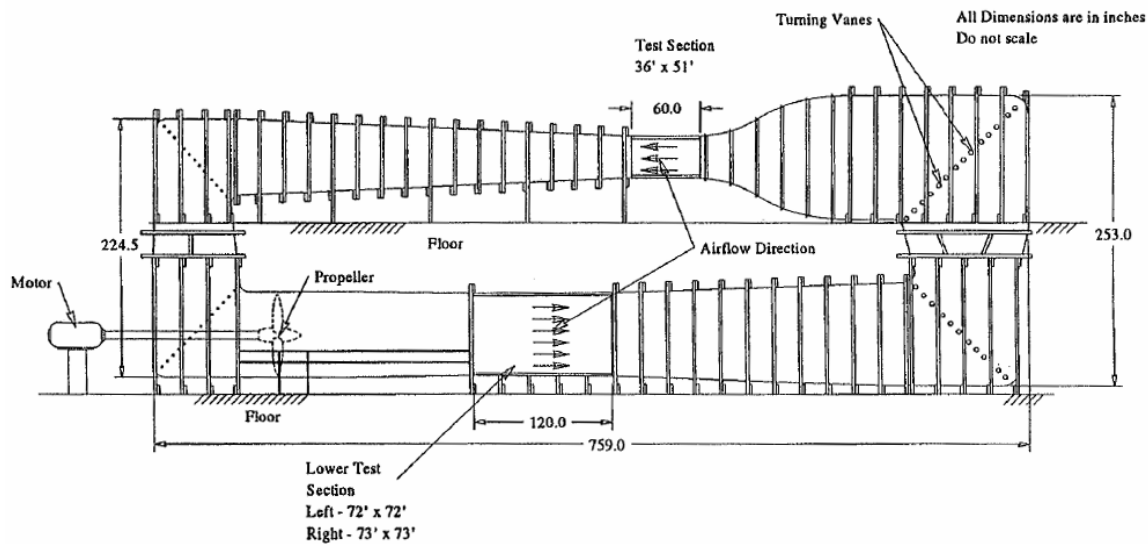


Figure 3.1 – Layout of KU large wind tunnel.⁸

The subsonic large wind tunnel is closed circuit and has a 36" by 51" test section and a maximum speed of 185 mph. It is equipped with a six-component strain-gage balance and a PC-based LabVIEW data acquisition system. The user can set the test section velocity with a remote throttle control. The LabVIEW user interface provides the real time monitor that shows the aerodynamics characteristics and coefficients as shown in Figure 3.2.

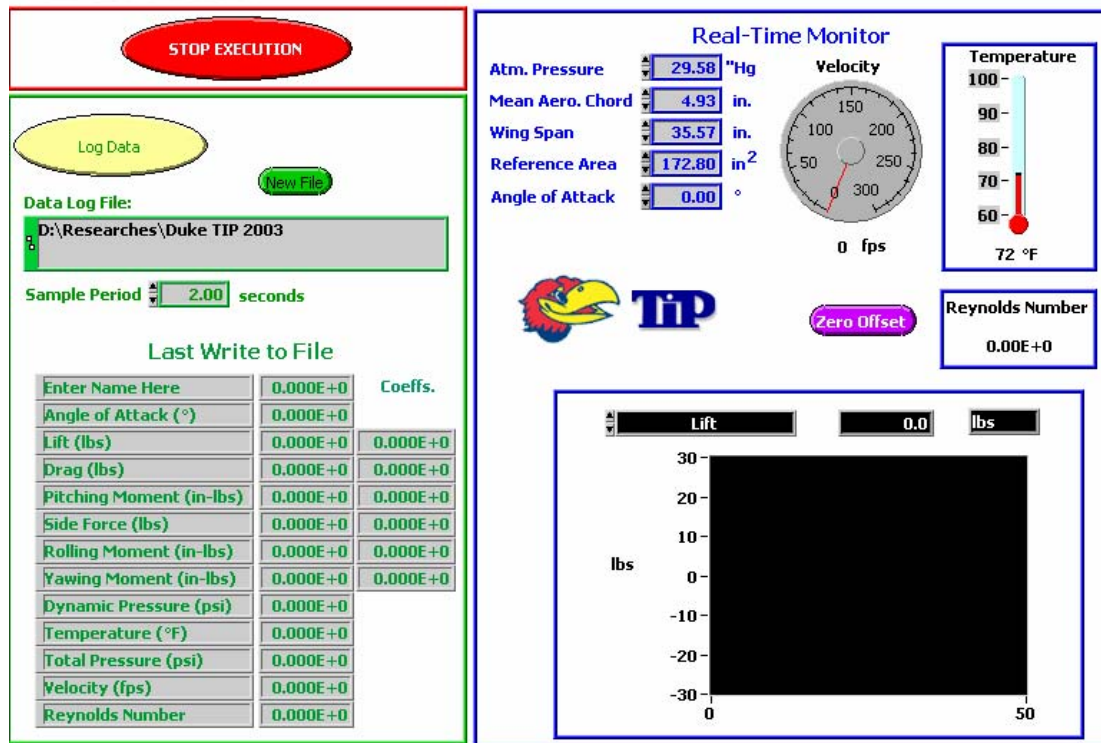


Figure 3.2 – Current KU large wind tunnel user interface.

The interface also displays the tunnel velocity (in feet per second) and temperature (in Fahrenheit). The inputs required by the user are:

- Atmospheric pressure in inches of mercury.
- Mean aerodynamic chord of model in inches.
- Wing span of model in inches.
- Reference area of model in inches squared.
- Each desired angle of attack in degree.

The following are its characteristics:

Table I – Characteristics of the KU low-speed large wind tunnel.

Characteristics	Data
Tunnel type	Closed circuit, single return
Test section type	Closed, rectangular shape
Test section size	W = 51", H = 36", L = 70"
Power source	300 hp constant rpm electric motor
Fan type	Four-bladed, variable pitch fan
Maximum test section velocity	185 mph
Turbulence factor	1.1
Contraction ratio	0
Test section sidewash*	Maximum +1.8°, average +1.3°
Test section downwash*	Maximum 1.3°, average 0.4°
Test section pressure	Atmospheric

* The average values calculated in side wash and downwash are for the cross section

3.1. Low Speed Virtual Wind Tunnel Overview

The LSVWT can be used as an educational tool to introduce aerodynamics study to students who are new to aerodynamics and CFD. With the control panel layout of the LSVWT being almost identical to that of the KU large wind tunnel, the students will be familiar with the large wind tunnel controls before they get to use it aerodynamics characteristics analysis. The 2-dimensional analysis provides lift, drag and pitching moment characteristics in relation to change in angle of attack and airspeed. The students can correlate the lift, drag and pitching moment equations to varying angle of attack and

airspeed when they can see the immediate changes in those values as they change the testing conditions. On top of the aerodynamics parameter values, a pressure distribution across the 2-dimensional airfoil will be shown in real time. The students will have a better understanding of pressure changes on the airfoil surface with the different angle of attack settings.

For a more advanced study on 2-dimensional aerodynamics, FlowLab is called up to provide a contour plot of the flow field around the tested airfoil. Velocity vectors and entire flow field pressures are shown in full color to represent the wide range of values from freestream to surface of the airfoil locations.

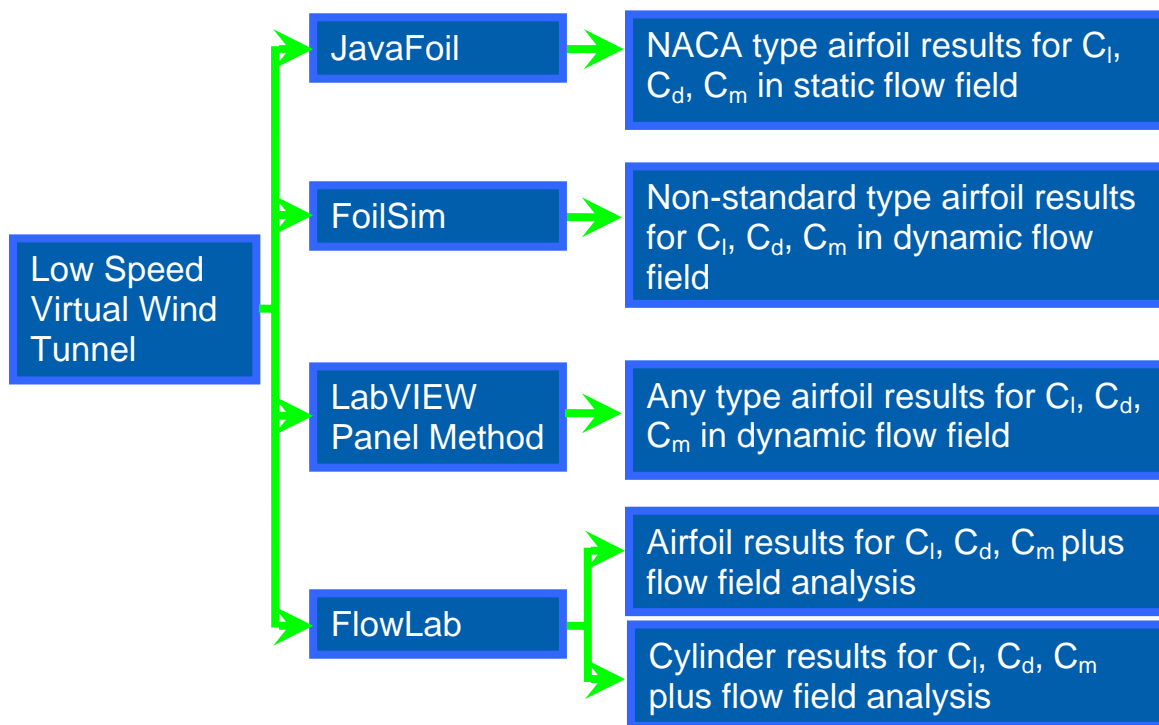


Figure 3.3 – Features of the Low Speed Virtual Wind Tunnel.

Figure 3.3 shows a general roadmap of the LSVWT features where 4 different modules work together to provide an uncomplicated and general CFD tool.

3.1.1. 2-D Analysis with Low Speed Virtual Wind Tunnel

The LSVWT program has the following main features:

- The control panel layout resembles the actual layout of the KU large wind tunnel data acquisition system.
- In 2-D airfoil analysis, the lift, drag, and pitching moment along with surface pressure distribution are presented.
- In the flow analysis, the contour, vector velocity and streamline can be shown.
- All the CFD work, including grid generation and simulation, can be done with limited knowledge of CFD.
- The flow regime is restricted to subsonic range and templates of several model setups are prepared in FLUENT so that they can be studied in FlowLab.
- The templates are modular in design and more can be created (using FLUENT and GAMBIT by experienced users) to expand the library of CFD analysis.

3.1.2. System Requirements for LSVWT

The computer system requirements for LSVWT are dictated by the sum of programs involved in CFD analysis. The main requirements are summarized as follows:

- A Pentium 4 or equivalent processor is recommended. A minimum hard disk space of 800 MB running on Windows 2000/XP or later is needed. The computer must be able to use Internet Explorer 5.5 with Service Pack 2 or later.
- A computer with LabVIEW version 7.1 installed.
- A computer with MATLAB version 5 installed

- A computer that is able to launch internet browsers like Internet Explorer or Mozilla Firefox to use Java applets.
- Networked computer that has FLUENT, FlowLab and GAMBIT installed and the license to execute all three programs in Exceed X-Server environment.

3.2. Quick Start Guide to LSVWT

With the system requirements mentioned earlier satisfied, the LSVWT program can be started. Click on the LSVWT icon will launch the program and the user will see the menu screen as shown in the following figure.

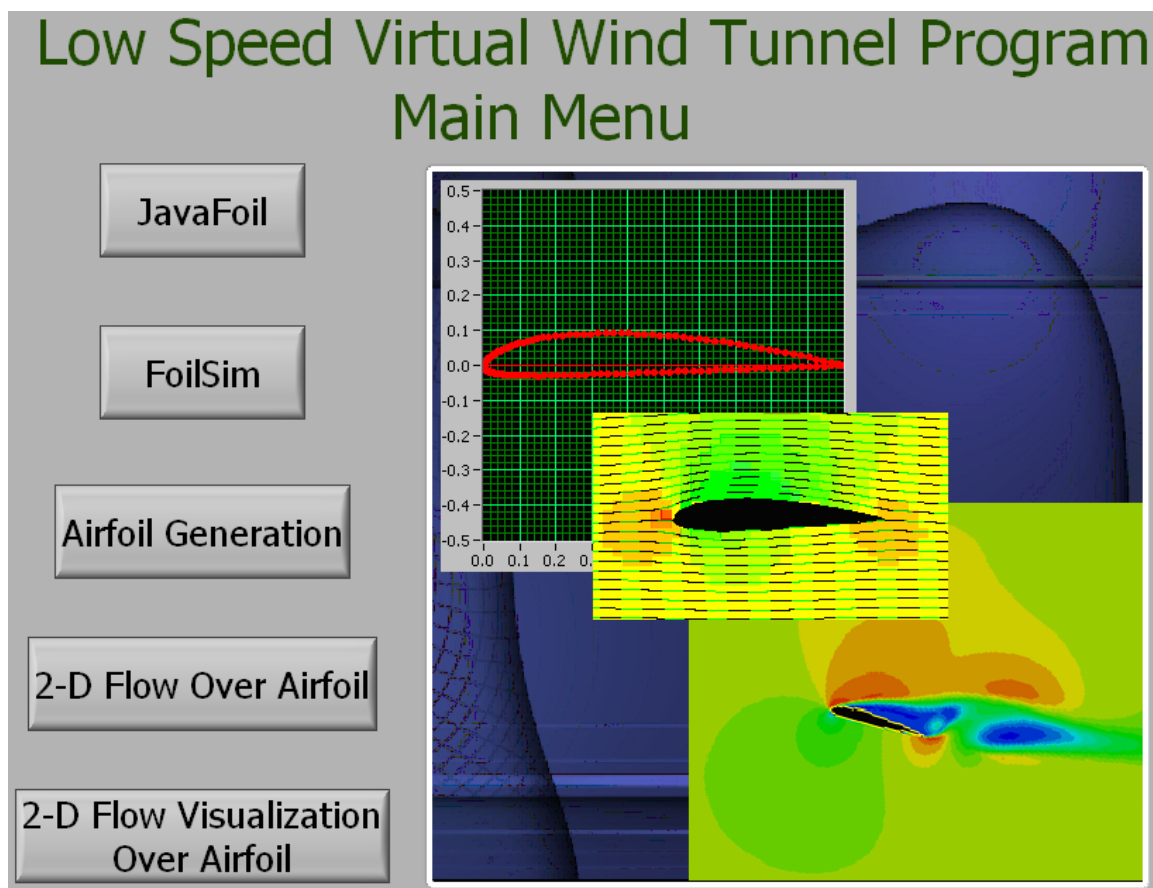


Figure 3.4 – Startup screen of LSVWT program.

The user has a choice of 2 simple web-based flow analysis modules and 2 more advanced simulations. An airfoil grid generation program is included to aid the more advanced 2-D flow analysis programs. The JavaFoil⁸ module is developed by Martin Hepperle that utilizes potential flow and boundary layer analysis without taking flow separation into account. FoilSim⁹, developed by a team led by NASA scientist Tom Benson, provides simple flow visualization of airflow over an object – like an airfoil – without the complexity of flow separation. The Airfoil Generation and 2-D Flow modules capabilities will be discussed with further details in the chapters to come.

Clicking on the JavaFoil button will launch the module in a separate window. Javafoil is equipped with its own airfoil generation so that it can proceed with the flow over airfoil analysis. In Figure 3.5, a NACA 2415 is generated with the coordinates shown.

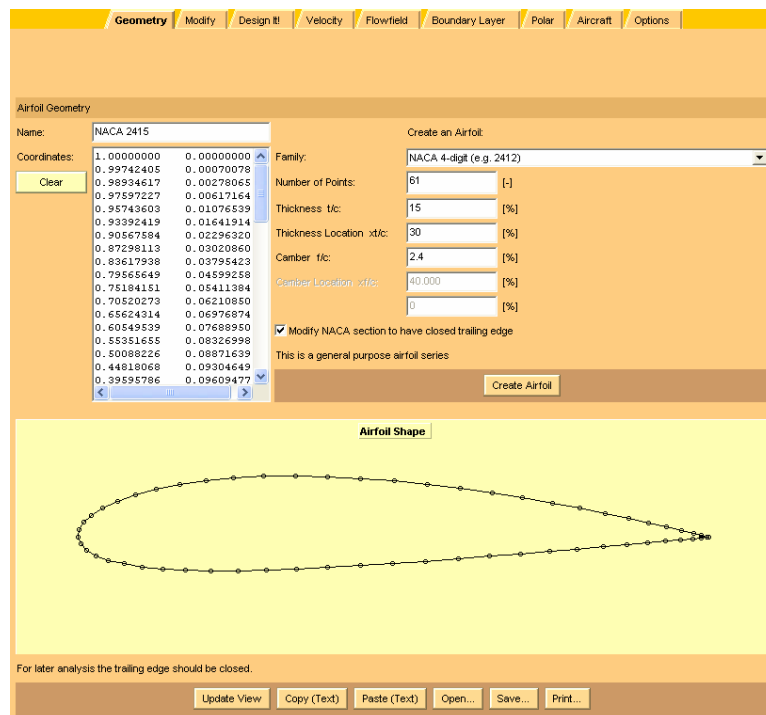


Figure 3.5 – JavaFoil airfoil coordinate generation screen.

This interactive web-based program is capable of calculating the velocity and pressure distribution across the chosen airfoil. As soon as an airfoil shape is generated from its airfoil library, the program can generate velocity and pressure distribution with the default setting for angles of attack. A table of results that includes the lift, drag and pressure coefficients is calculated and can be printed. One of the useful features of JavaFoil is the plotting of the flow field as shown below in Figure 3.6. JavaFoil is simple to use but it does not handle flow separation issues.

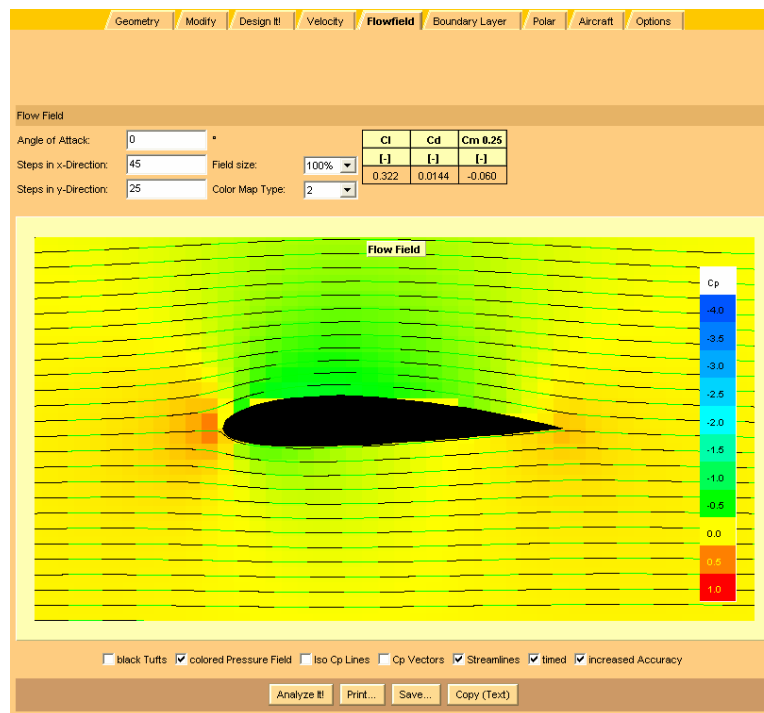


Figure 3.6 – Flow field plotting by JavaFoil.

To view a “moving” flow field, another web-based program FoilSim will fill the need. FoilSim utilizes animation to further enhance the flow visualization. Clicking on the FoilSim button from the LSVWT main menu will launch a separate window to the web-based program as seen in Figure 3.7. This program functions very much like

JavaFoil but it runs in constant simulation. FoilSim runs more like a demonstration because the airfoil shape model does not follow any NACA specification in details.

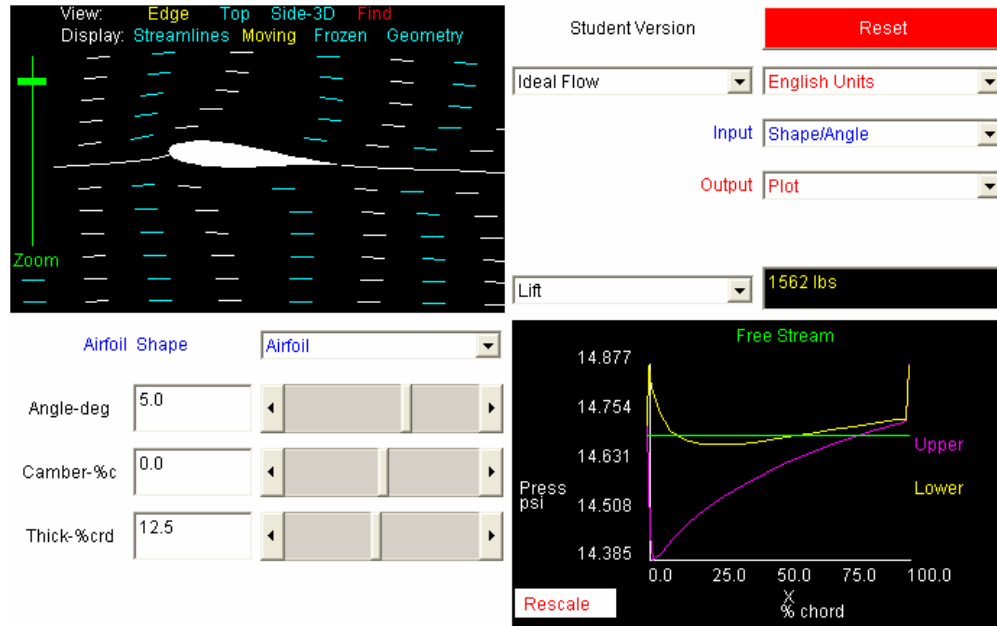


Figure 3.7 – FoilSim program in motion.

However, with the ability to change the angle of attack, camber and thickness of airfoil on the fly, the results are shown instantaneously with the lift curve slope, pressure and/or velocity distribution. The flow visualization is quick but not extremely accurate without taking flow separation into account.

3.2.1. Airfoil coordinates generations

To initiate the 2-dimensional analysis, the coordinates of an airfoil must be defined. The airfoil coordinates for NACA 4, 5 and 6-digit airfoils are generated within a LabVIEW's subprogram using the NACA equations involving polynomials that relate to airfoil camber line and thickness distribution. The NACA 2415 and 0012 airfoils are chosen as the subject of case study because these shapes are used in the Cessna 210 wing

and horizontal stabilizer. The published 2-D aerodynamics results of these airfoils are also readily available in Pope⁴.

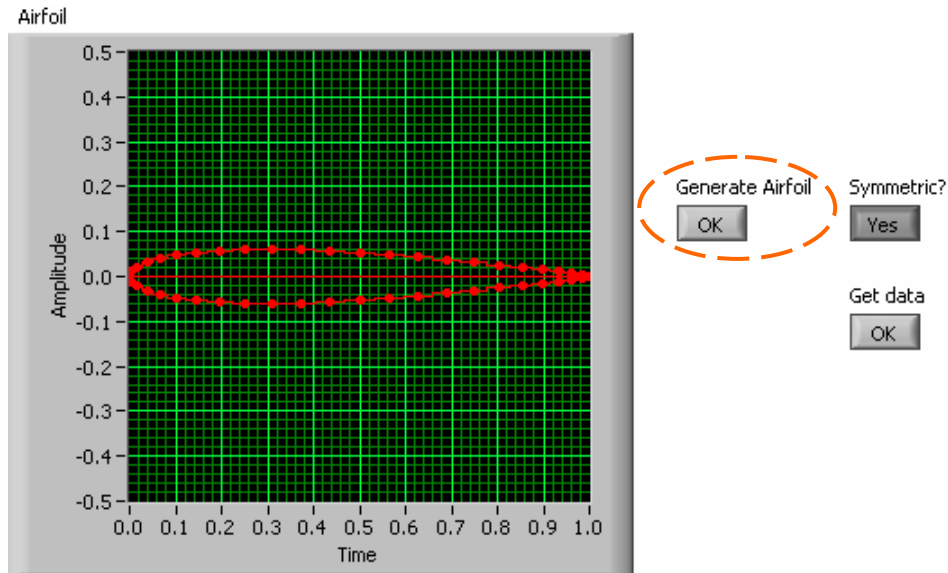


Figure 3.8 – Panel Method airfoil coordinates generation of NACA 0012.

The coordinates generated come in two columns – namely in the Cartesian X and Y arrangement. To simplify the program setup, the number of panels to represent an airfoil is set to 50 for this analysis. There will be 25 upper surface X-Y pair coordinates and another 25 for the lower surface as shown in Figure 3.8. When the user clicks on the Generate Airfoil button that is highlighted in Figure 3.8, a new window will pop up with the interface to generate a NACA airfoil shape. If the airfoil is symmetrical, there is a button (next to the Generate Airfoil) for that option. This helps to cut down on the points generated by simply mirroring the upper half of the airfoil shape.

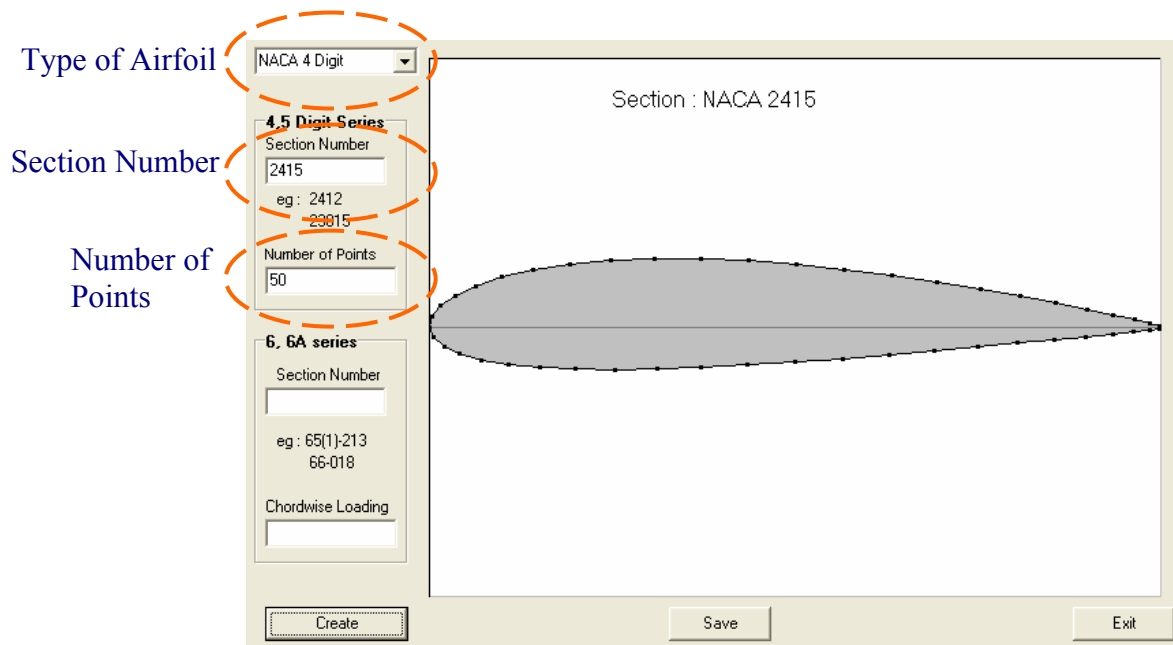


Figure 3.9 – Coordinate generation of NACA 2415 airfoil.

The user can select the type of NACA airfoil from the pull-down menu from the top left corner. Once selected, the corresponding section number for the desired airfoil shape should be entered. The number of points required for this setup is picked to be 50. More points will provide more details to the airfoil shape but at the same time, the computation time will increase as well. 50 points are chosen so as to strike the balance between airfoil shape details and speed of computation in the aerodynamics calculations. Once the airfoil coordinates are ready, the user can click on Get data button to get the 2-D results as shown in Figure 3.10.

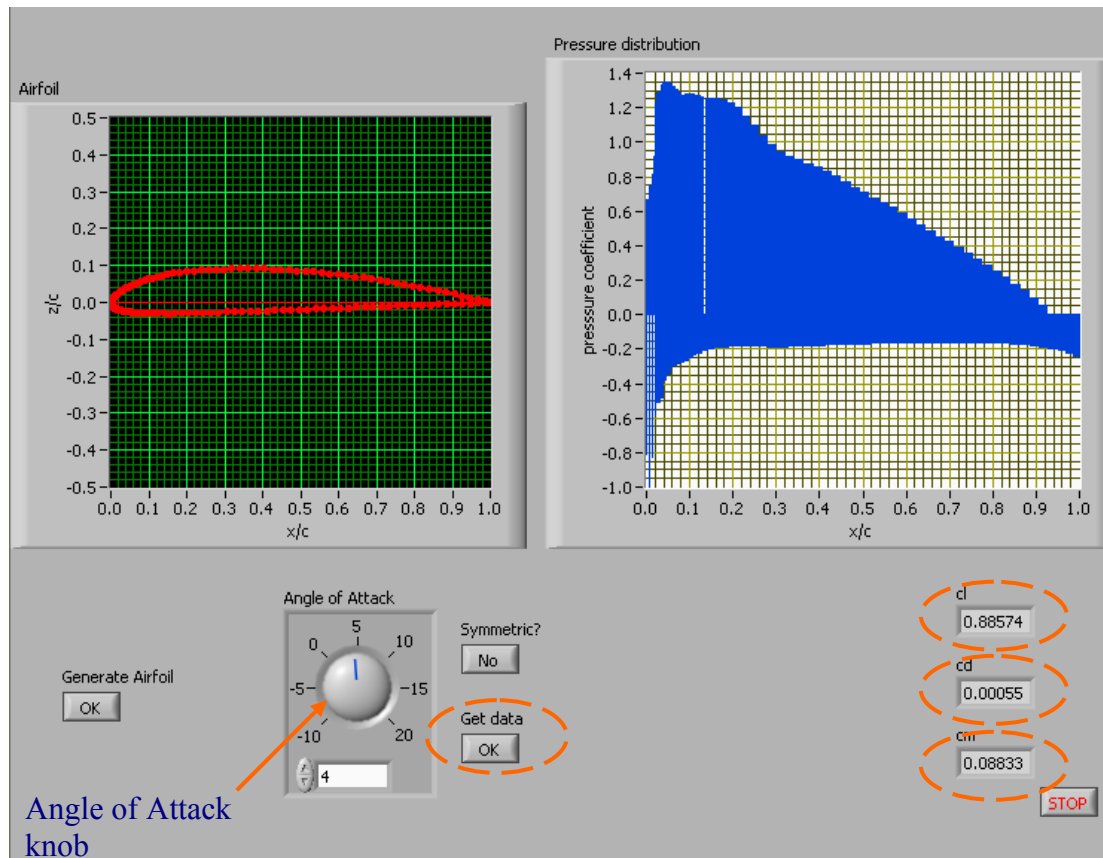


Figure 3.10 – Aerodynamics results with pressure distribution across airfoil.

The coordinates are fed into the Panel Method solver to obtain aerodynamics results. The values of lift, drag and pitching moment coefficients are calculated and presented in numeric and a pressure distribution graph. The pressure distribution locations on the airfoil are the same locations of the coordinates generated earlier in Figure 3.8. By changing the Angle of Attack knob and clicking on the Get data button, real-time results of the coefficients and the pressure distribution will be updated.

3.2.2. Panel Method Analysis

The Panel Method calculates the velocity distribution along the surface of a defined panel from an airfoil. The Kutta condition is applied here for linear and steady

flow for the boundary condition setup. The governing equation (Laplace's equation or the linearized form in compressible flow) is recast into an integral equation. This integral equation involves quantities such as velocity, only on the surface, whereas the original equation involved the velocity potential all over the flow field. The surface is divided into panels or “boundary elements”, and the integral is approximated by an algebraic expression on each of these panels. A system of linear algebraic equations result for the unknowns at the solid surface, which may be solved using techniques such as Gaussian elimination to determine the unknowns at the body surface.

The equations governing 2-D, incompressible, irrotational flow are:

$$\text{Continuity:} \quad \frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} = 0 \quad (1)$$

$$\text{and, irrotationality:} \quad \frac{\partial u}{\partial y} - \frac{\partial v}{\partial x} = 0 \quad (2)$$

One can define a velocity potential ϕ such that

$$\frac{\partial \phi}{\partial x} = u ; \quad \frac{\partial \phi}{\partial y} = v \quad (3)$$

This equation satisfies the irrotationality. Continuity equation becomes:

$$\frac{\partial^2 \phi}{\partial x^2} + \frac{\partial^2 \phi}{\partial y^2} = 0 \quad (4)$$

One can also define a stream function ψ , such that

$$\frac{\partial \psi}{\partial y} = u ; \quad - \frac{\partial \psi}{\partial x} = v \quad (5)$$

which yields the following relation:

$$\frac{\partial^2 \psi}{\partial x^2} + \frac{\partial^2 \psi}{\partial y^2} = 0 \quad (6)$$

Equations (3) and (6) are each called Laplace's equation.

In subsonic compressible flow, the potential flow equation is modified to give the following, approximate equation:

$$(1 - M_{\infty}^2) \frac{\partial^2 \phi}{\partial x^2} + \frac{\partial^2 \phi}{\partial y^2} = 0$$

Assuming one can solve for either the velocity potential or the stream function and its derivatives (which yield the flow velocities u and v), the pressure can be computed for incompressible flows, from Bernoulli's equation as:

$$p + \frac{1}{2} \rho (u^2 + v^2) = p_{\infty} + \frac{1}{2} \rho V_{\infty}^2$$

From pressure, a non-dimensional quantity called the pressure coefficient may be computed:

$$C_p = \frac{p - p_{\infty}}{\frac{1}{2} \rho V_{\infty}^2} = 1 - \frac{u^2 + v^2}{V_{\infty}^2} = 1 - \frac{V^2}{V_{\infty}^2}$$

where u and v are Cartesian components of velocity V .

With angle of attack chosen by the user, the lift, drag and pitching moment coefficient are calculated. The surface pressure distribution is also computed and then presented visually by LabVIEW. The result of such typical calculation is shown in Figure 3.11.

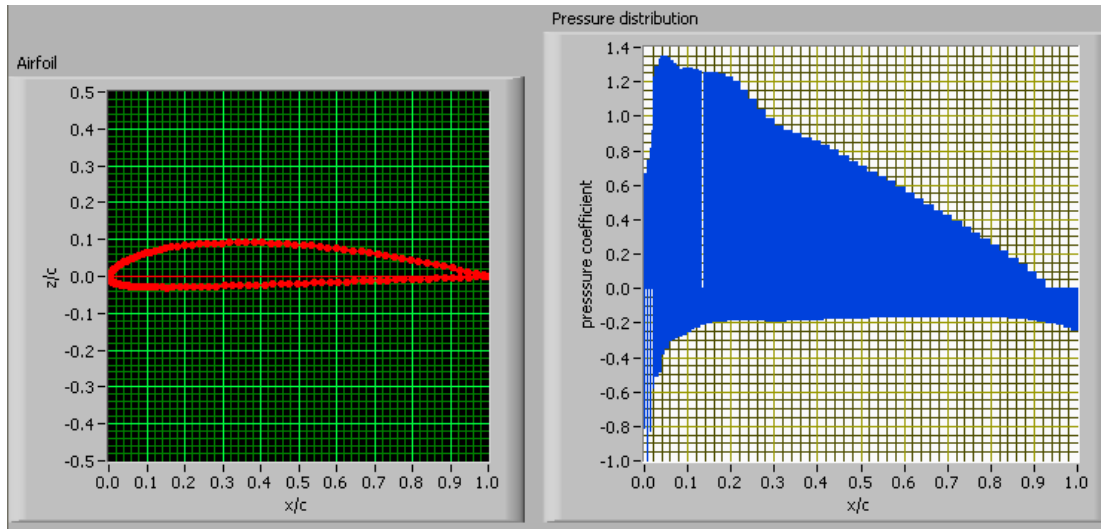


Figure 3.11 – Panel Method results of a NACA 2415 airfoil.

Through the change of angle of attack, a 2-D airfoil lift curve slope and drag polar can be plotted. The pressure distribution can also be shown in the corresponding locations of the coordinates generated for the airfoil. However, the results do not take into account of flow separation at high angle of attack (more than 12 degrees) settings. Even though the stall characteristics do not match up favorably with Pope's findings at the high angles of attack, the results do show that the aerodynamics coefficients are similar at the lower range of angles of attack.

3.2.3. FlowLab in 2-D usage

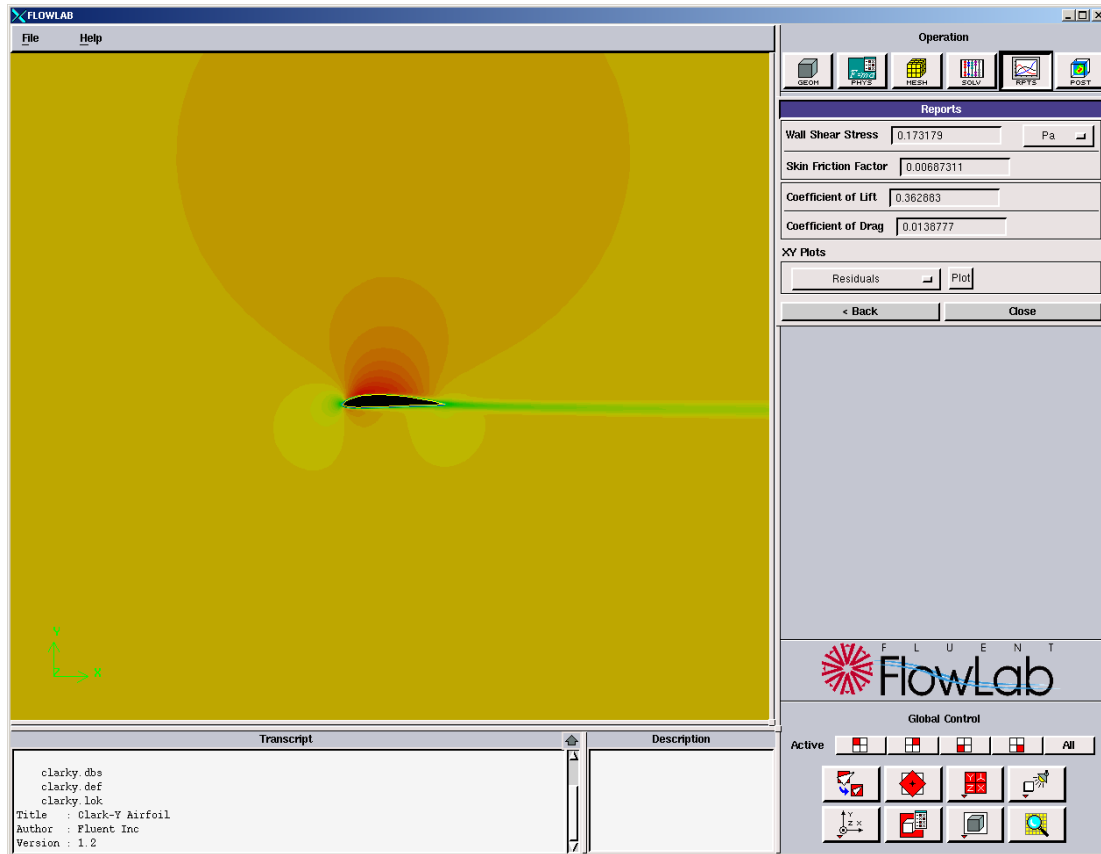


Figure 3.12 – FlowLab 2-D analysis of Clark Y airfoil.

In the same way the Panel Method is activated, FlowLab can be launched from the LSVWT program. Depending solely on the template used, FlowLab performs quick and limited CFD analysis of the 2-D subject. The subject can range from an airfoil like the NACA 4- or 5-digit series to a simple cylinder. Figure 3.12 shows an example with Clark Y airfoil. The user may adjust the characteristic length of the test subject, Reynolds Number, types of mesh and grid. These choice selections are completely fixed during the creation of the template. Once the solution converges, pressure and velocity profile of the entire flow field can be plotted and saved for further analysis or comparison.

3.2.4. Starting FlowLab

Click on the Start FlowLab button will launch the program and a screen following that, shown below, provide models to be analyzed. The models used in the LabVIEW module are readily converted from LSVWT when needed.

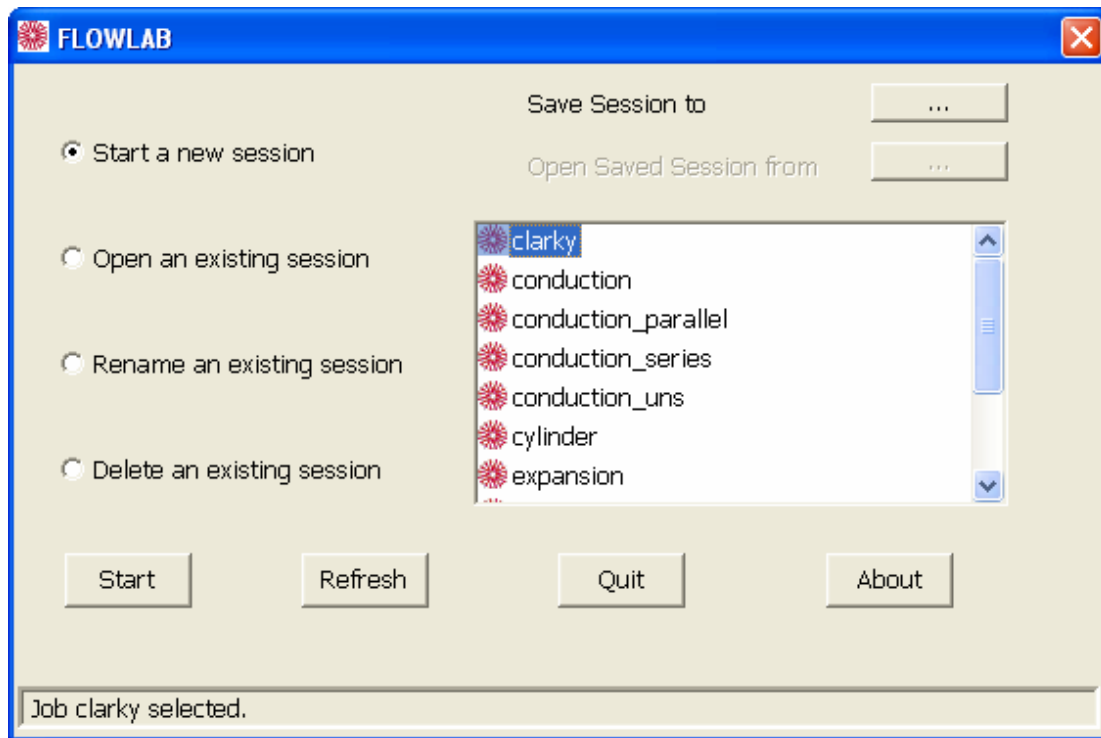


Figure 3.13 – FlowLab analysis model selection.

Once that is chosen, FlowLab will load the model and proceed to the main program (shown in Figure 3.14) that will consists of the flow field/ grid screen, controls for analysis and overview notes on the operation of the case study.

3.2.5. Geometry Settings

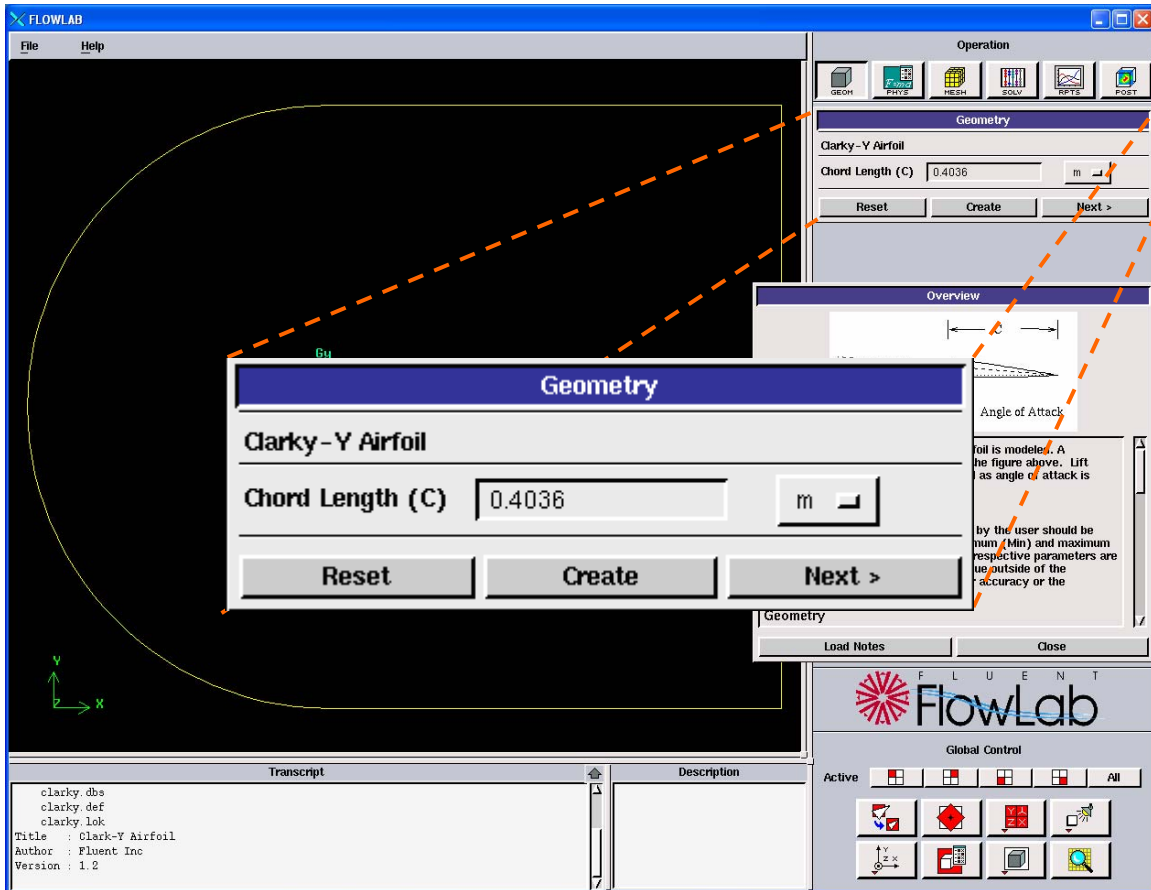


Figure 3.14 – Geometry module creation.

From the Geometry module, the chord length can be determined. The length limitation is set accordingly to the grid that is generated around it. The user can choose to enter the length in metric or British units. Once the chord length is set, the user can click on Next to proceed to the next module that sets the physics of the flow.

3.2.6. Flow Conditions (Physics) Settings

Flow conditions are chosen in this module as shown in the Figure 3.15. The condition can be set to either inviscid or viscous. For the simplicity of calculations,

inviscid condition is usually selected. Boundary condition and materials can be selected to reflect the fluid of the flow.

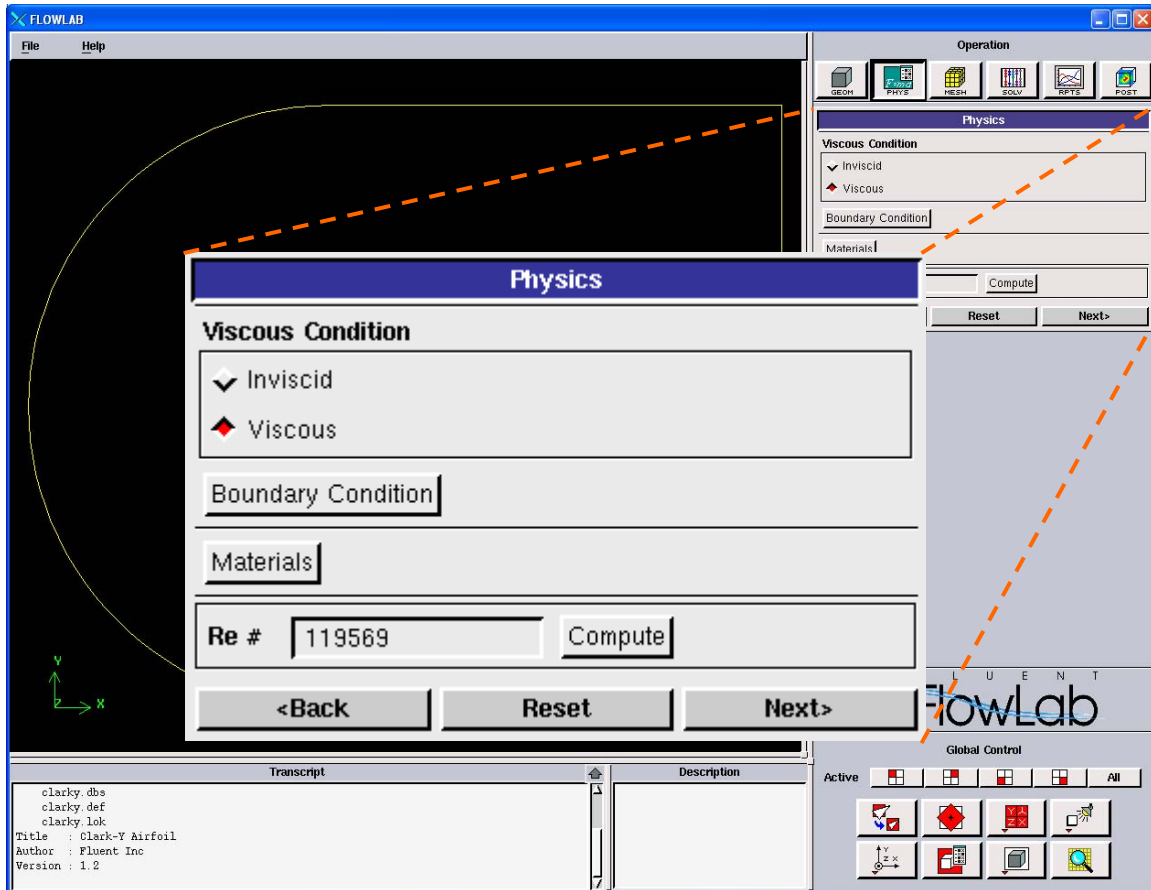


Figure 3.15 – Physics or flow conditions module settings.

For the boundary conditions as seen in the Figure 3.16, the far field pressure and temperature can be set for the flow. This is also where the user can set the velocity (in terms of Mach number) of the flow and the angle of attack for the airfoil. The wall roughness is typically ignored for the quick calculations.

Boundary Condition	
Far Field Pressure	40000 Pa
Far Field Temperature	250 K
Mach No	0.03
Angle of Attack (in deg)	0
Wall roughness	0 m
<div>Reset</div> <div>OK</div>	

Figure 3.16 – Boundary condition settings in the Physics module.

After the boundary condition is set, the density and viscosity of the flow can be chosen by activating the Materials option. In that option, the user can also determine the thermal conductivity, specific heat and molecular weight of the fluid.

Materials	
Density	ideal gas
Viscosity	1.7894e-005 kg/m-s
Thermal Conductivity	0.0242 W/m-K
Specific Heat	1000.43 J/kg-K
Molecular Weight	28.966 kg/kgmol
<div>Reset</div> <div>OK</div>	

Figure 3.17 – Materials properties in the Physics module.

Once the Physics setup is complete, the Reynolds Number can be calculated when the Compute button is pressed. Then, the user can move on to the next module by clicking on the Next button.

3.2.7. Mesh Settings

The intensity of meshes is chosen here will affect the solving time directly. The user has the straightforward options under Mesh Density to use Fine, Medium or Coarse setting. The Cell Count is for the user to gauge the complexity of the proposed mesh. The higher the cell count is, the longer it will take for the program to complete the calculations. The wall function is typically set to standard unless specified otherwise.

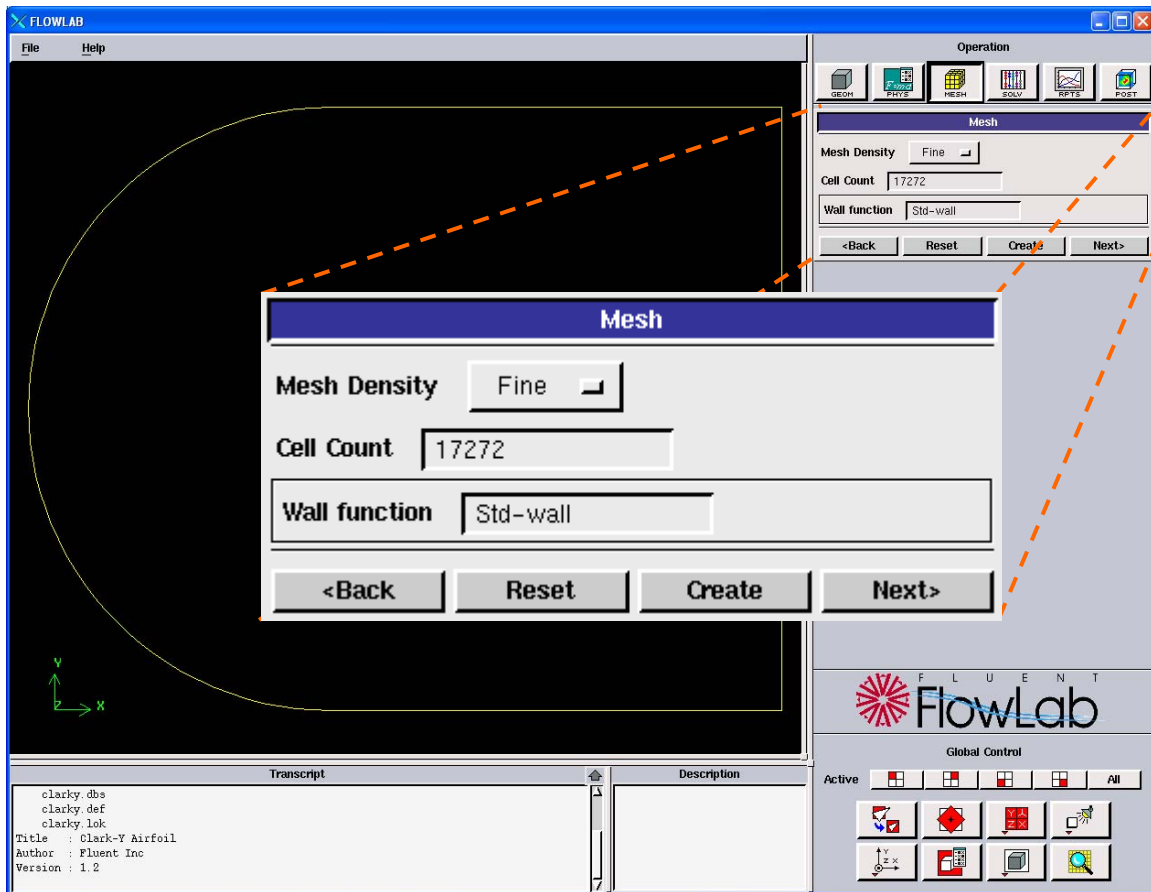


Figure 3.18 – Mesh settings for the airfoil.

Once the mesh is selected, the user must click on Create to generate the newly selected type of mesh to be used. A progress bar will appear at the top and once that disappears, the user can proceed to the next module by clicking on the Next button.

3.2.8. Solve for Solution Settings

The number of iterations is set here that will determine the time to take to solve the computations. From the screenshot below, the user will enter the number of iterations desired and also the convergence limit of the solution. The driving factor of time required will be the convergence limit set because the program will only stop computing once the limit is set unless it has reached the iterations count. If the iterations are set too low, the solution may not converge and thus yielding no results from the calculations. For a decent convergence, the limit is set to 0.0001.

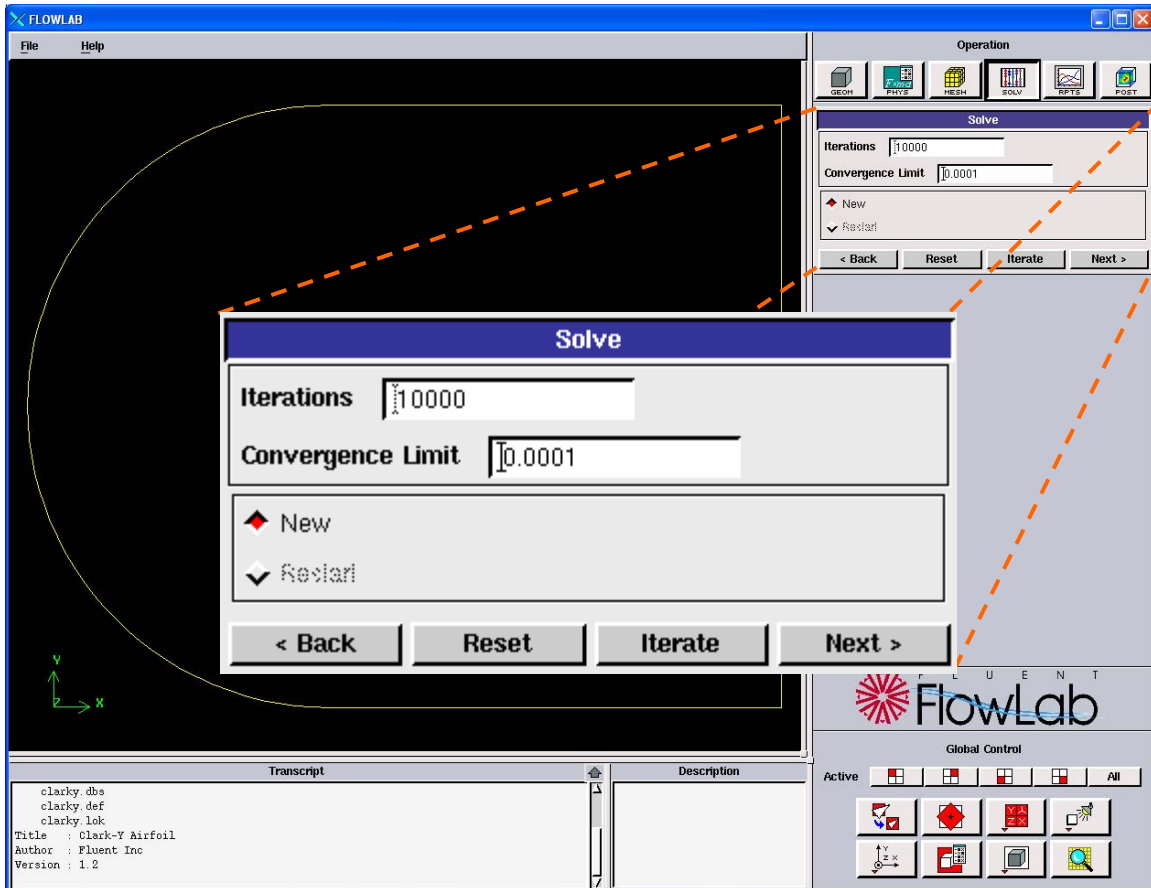


Figure 3.19 – Solution settings module.

The user will need to click on Iterate to start the program to solve for the flow field solution. After the iterations are completed, the graphic reports will be available in the next module.

3.2.9. Graphic Reports Settings

Once iterations are completed, the graphic reports are available. In this module, the aerodynamics coefficients are shown as seen in the figure below. The user will also have the options to plot graphs of the residuals calculation progress (see Figure 3.21) and the pressure distribution of the airfoil for that particular velocity and angle of attack.

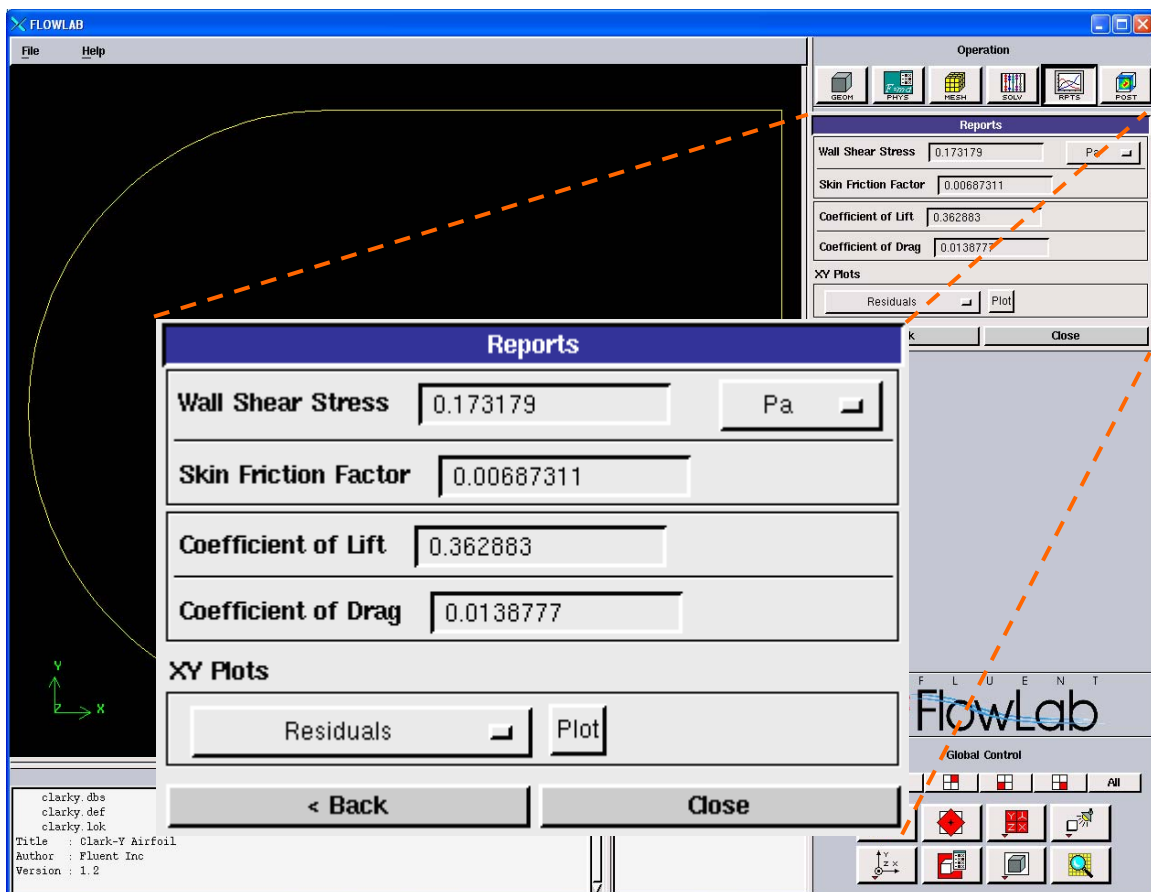


Figure 3.20 – Graphic Reports module.

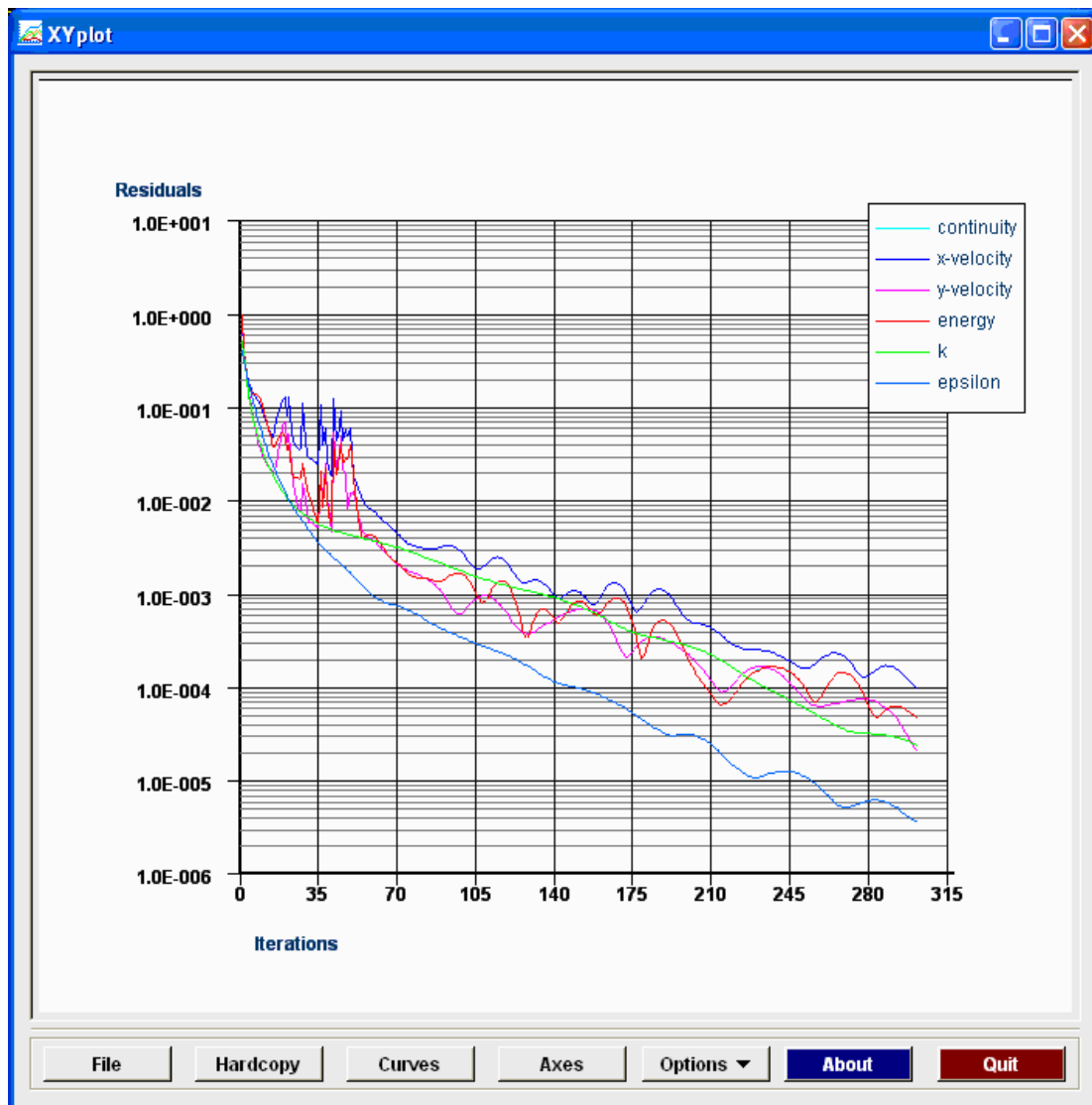


Figure 3.21 – Example of a residuals progress with respect to iterations.

3.2.10. Post-processing Analysis Settings

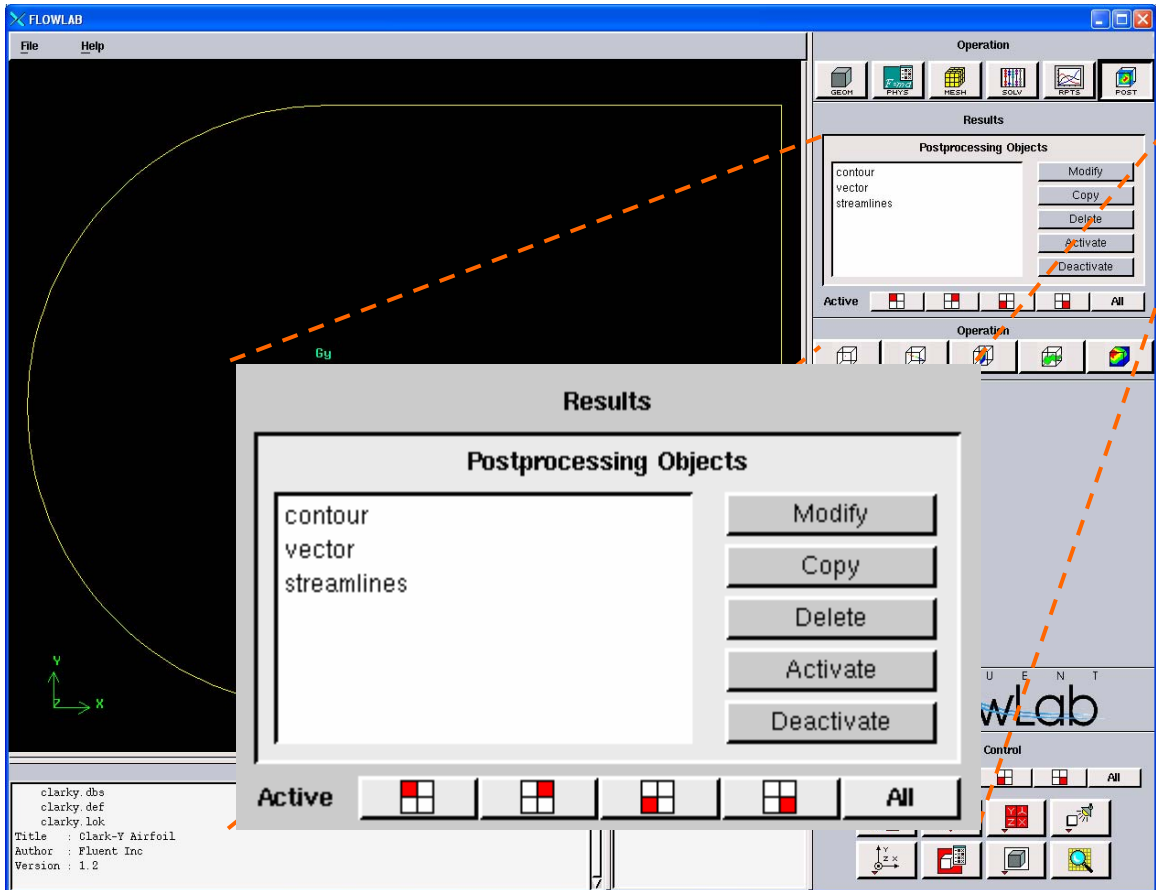


Figure 3.22 – Post module to show the results of computation.

This is where the flow field can be plotted and shown depending on the user's choices. As shown in the Figure 3.22, the flow field can be plotted using (pressure or velocity) contour, vector or streamlines.

3.3. Additional Feature in Animation

When the CFD model in FlowLab is configured in another grid format, time steps of the flow can actually be seen. The pictures of the flow are captured in the time steps specified by the user. An example of such application is shown in Figure 3.23 where a

sphere is subjected to a relatively low Reynolds Number flow to induce the Von Kármán vortex street.

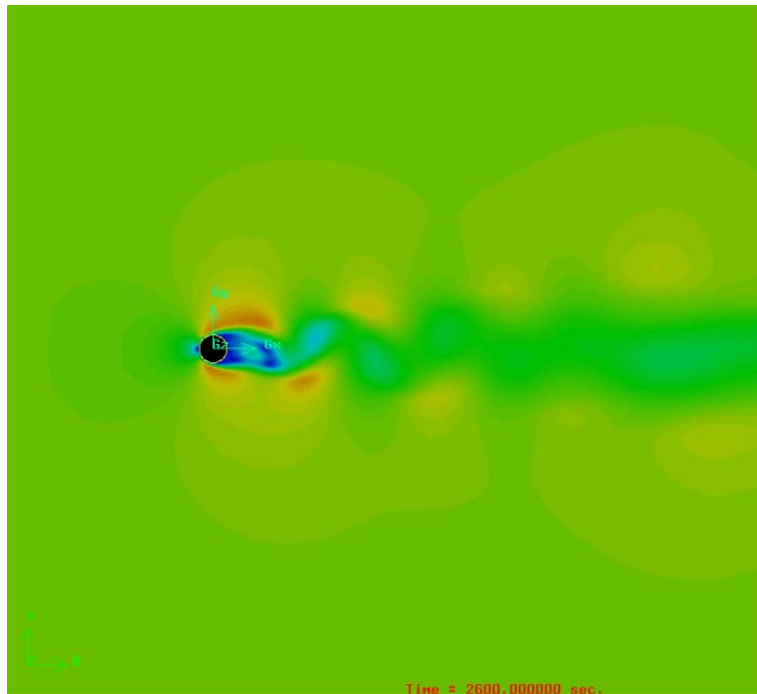


Figure 3.23 – Von Kármán vortex street illustrated in FlowLab.

This advantage of such feature is that user no longer has to imagine the flow behavior of unsteady flow. The unsteady flow is captured vividly in FlowLab where it can be exported as a series of pictures or as an animation.

4. Results and Discussions

4.1 2-D Flow Results of NACA 2415

With the known mathematical equation to create the NACA 2415 airfoil, the coordinates are generated as shown in Figure 4.1.

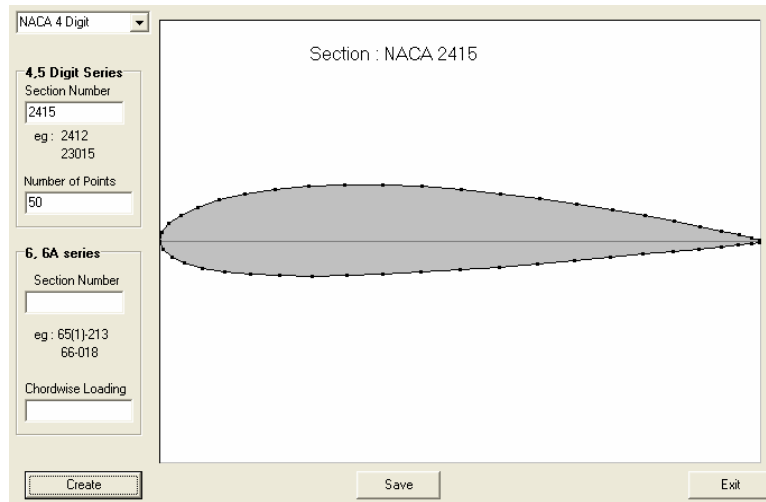


Figure 4.1 – Generation of NACA 2415 airfoil coordinates.

The results of lift, drag and pitching moment coefficients are shown as seen in Figure 3.9. Each of the run here gives the results for one angle of attack setting. To produce a lift curve slope and the variation of drag and pitching moment due to different angle of attacks, multiple runs are needed.

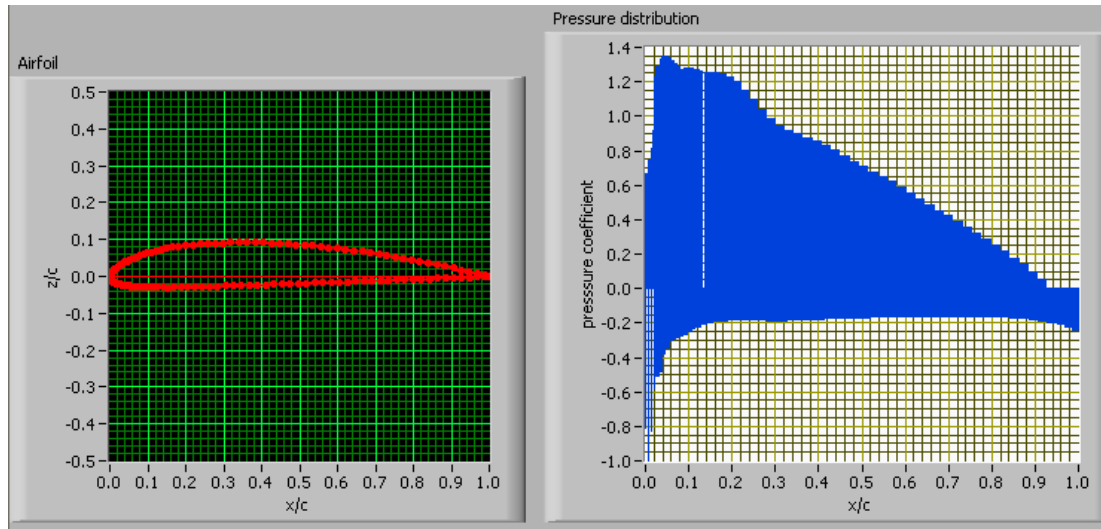


Figure 4.2 – 2-D results of NACA 2415 at zero angle of attack.

With each run of different angle of attack, a set of values for lift, drag and pitching moment coefficients are calculated, along with a pressure distribution chart. An angle of attack range from -6 to 18 is selected, with an interval of 2 degrees between each angle. The computed results and the NACA findings are compiled as follows:

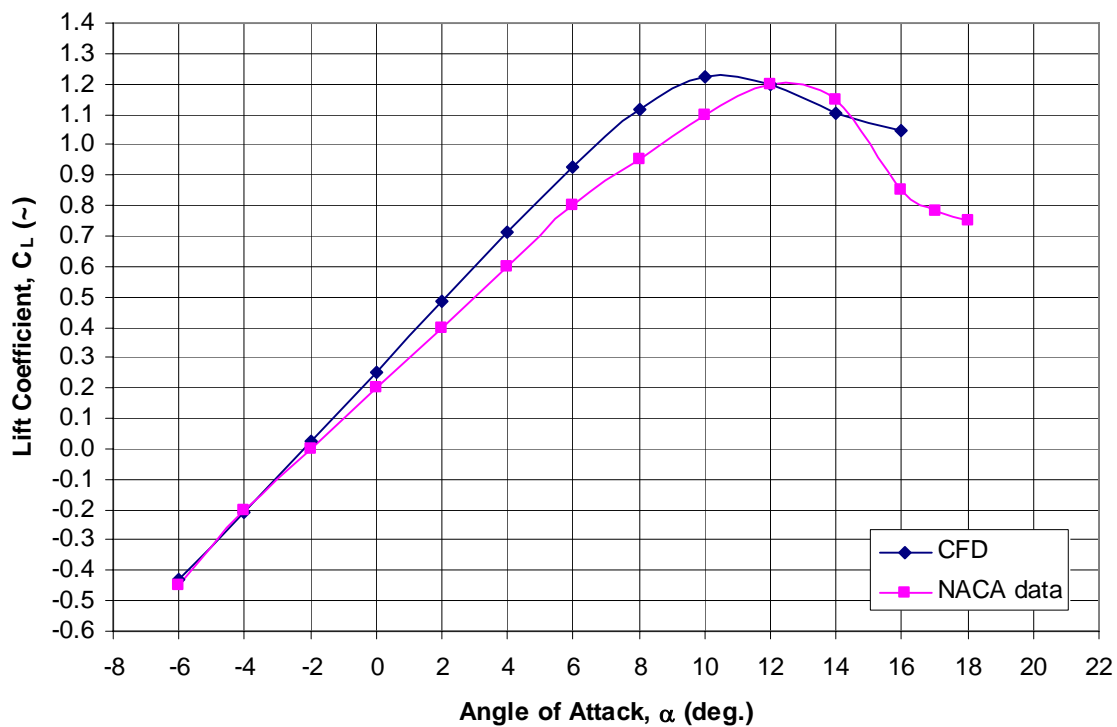


Figure 4.3 – Lift curve slope of NACA 2415.

From Figure 4.3, the lift curve slope obtained from the computation is fairly close to the NACA results. At the lower angle of attacks from -6 to 2 degrees, both sets of data are almost on top of each other. They show about the same values for lift coefficient for those angles of attack. However, the discrepancy starts right after 2 degrees. From 2 to 10 degrees, the difference between the computed and NACA values begins to grow. The computed values show a steeper linear increase compared to the NACA's. At this point, the computed result also show that the airfoil has reached its' stall around 10 degrees for a lift coefficient of 1.22. As for the NACA data, the airfoil stalls at a later angle of attack of 12 degrees and it has a slightly lower lift coefficient of 1.2.

The lift curve slopes also show that the stall characteristics are different between the computed and experimental data from NACA. The computed lift curve slope has a more gentle stall behavior as the lift coefficient tapers out from 1.22 to 1.15 at around 16 degree angle of attack. In contrast, the NACA data that stalls later at 12 degrees angle of attack drops its lift coefficient from 1.2 to 0.85 when it reaches 16 degrees. This show the computational results will be fairly accurate up to the point where flow separation may have occurred.

A closer observation to this stall difference can be made using FlowLab. By calling up FlowLab, the flow field at angles of attack from 10, 12 and 14 are shown in Figures 4.3. Note that the airfoil is referenced always horizontally, which is the default orientation of FlowLab.

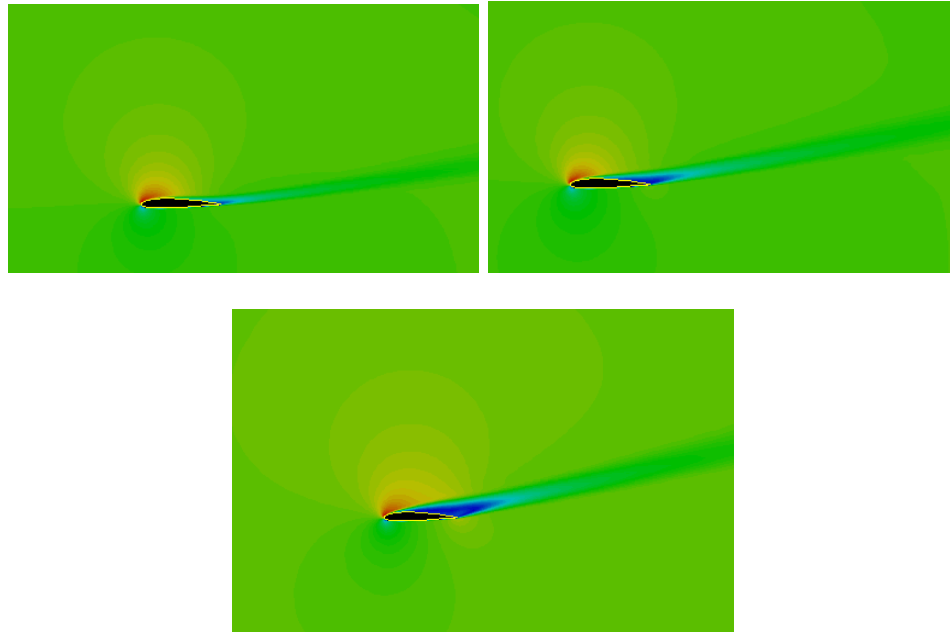


Figure 4.3 – Pressure flow field NACA 2415 at angle of attack at 10 degrees (top left), 12 degrees (top right) and 14 degrees (above).

From Figure 4.3, the unsteady flow (blue color region) is seen growing from each angle of attack progression. The flow separation at the trailing edge of the airfoil is barely noticeable at 10 degrees although this is the stall angle of attack for the computational result. Looking at the 12 degrees angle of attack, the separation has crept forward to more than half of the airfoil's chord length. Thus, this corresponds to the drop in lift coefficient value from 1.22 to 1.19. As the angle of attack increases further to 14 degrees, the unsteady flow has almost reached the leading edge of the airfoil and therefore produces a lower lift coefficient value of 1.10.

4.2 2-D Visual Flow Results of NACA 2415

Closer observations of the results of the NACA 2415 can be seen here. The visual results will be shown in the progressing order of the angle of attack changes starting from -6 to 14 degrees with a 2-degree step. From 15 to 20 degrees angle of attack, the

increment will be 1 degree to demonstrate drastic changes in pressure at high angle of attack.

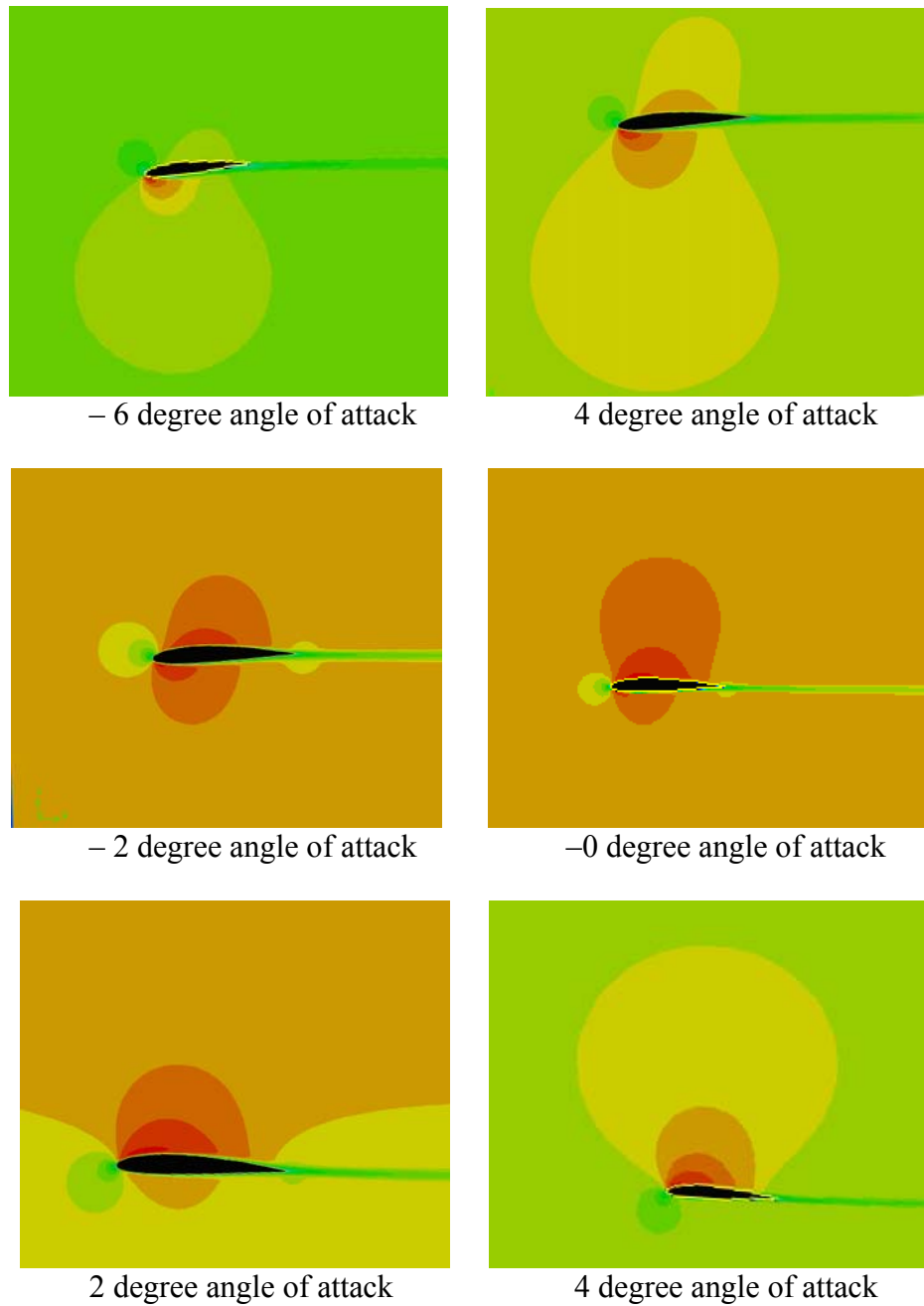
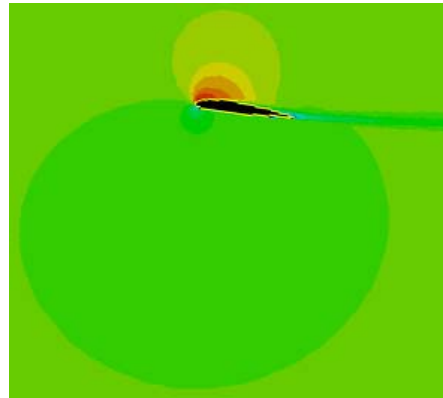


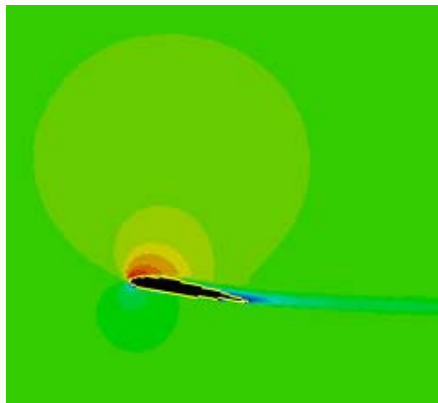
Figure 4.4 – Pressure distribution on NACA 2415 at -6 to 4 degree angles of attack.



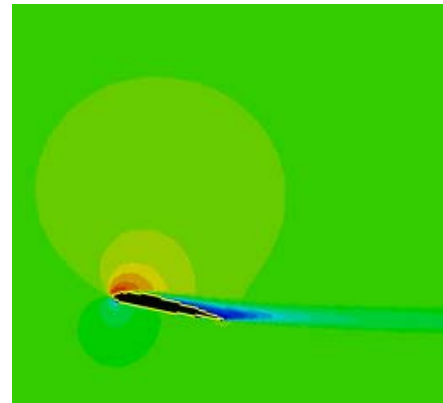
6 degree angle of attack



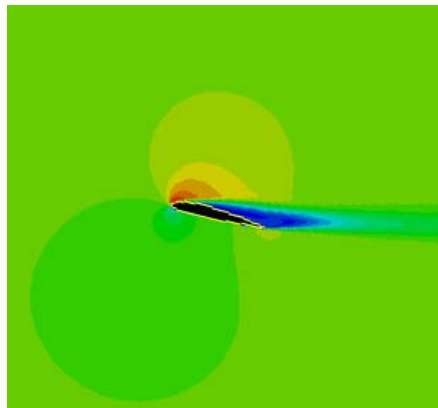
8 degree angle of attack



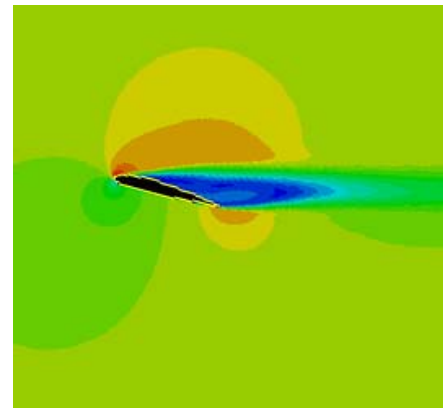
10 degree angle of attack



12 degree angle of attack

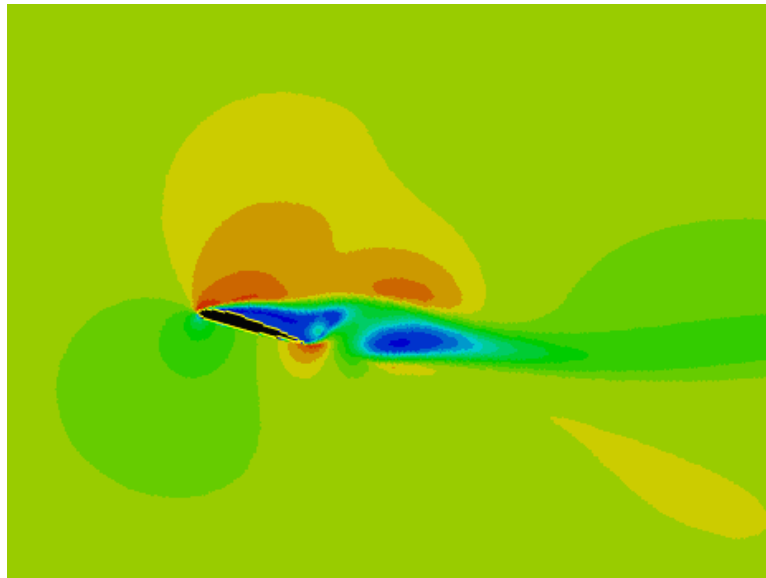


14 degree angle of attack

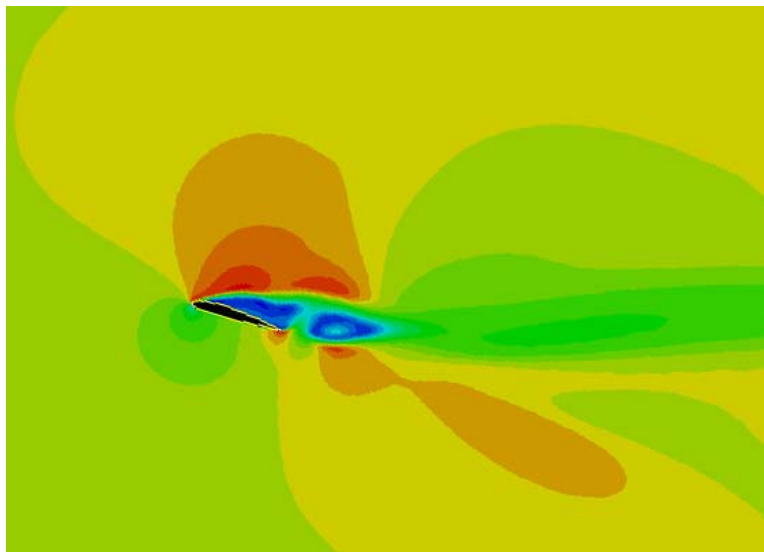


15 degree angle of attack

Figure 4.5 – Pressure distribution on NACA 2415 at 6 to 15 degree angles of attack.

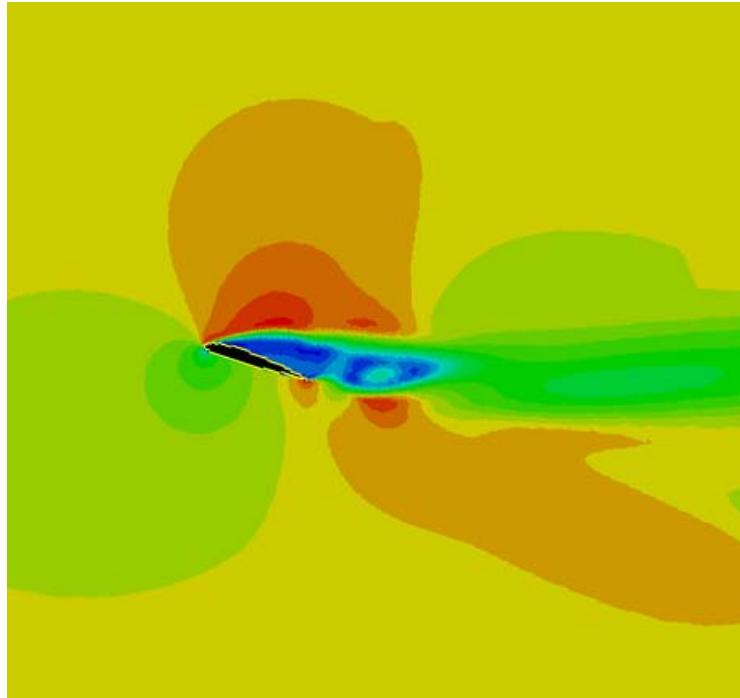


16 degree angle of attack

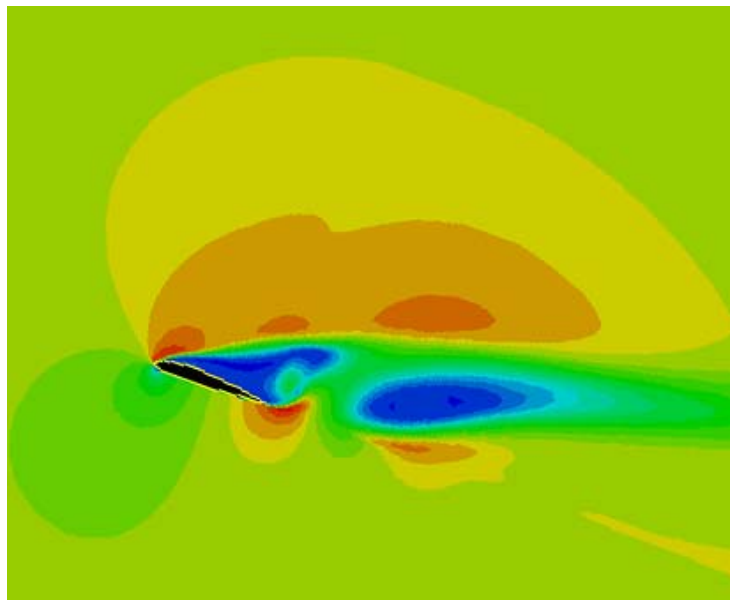


17 degree angle of attack

Figure 4.6 – Pressure distribution on NACA 2415 at high angles of attack of 16 and 17 degrees.



18 degree angle of attack



20 degree angle of attack

Figure 4.7 – Pressure distribution on NACA 2415 at high angles of attack of 18 and 20 degrees.

The visual results of the NACA 2415 shows a steady low pressure (indicated with blue color) buildup on top of the airfoil as the angle of attack increases. At the 16 degree angle of attack, flow separation occurs and thus creating unsteady airflow. Once the airfoil experiences unsteady flow, the computation on the aerodynamics characteristics like lift, drag and pitching moment will start to increase at a higher rate. At this point, only the visual results are considered trustworthy. From Figure 4.6 and 4.7, the flow separation begins to propagate downstream and create larger wake as the airfoil increase in angle of attack. The turbulence due to the wake generates higher aerodynamics characteristics, in particular – lift coefficient. Thus, the stall characteristics of the airfoil would be inaccurate but the visual results do provide an insight to when and how the turbulent flow occurs and behaves.

5. Conclusion and Recommendations

5.1. LSVWT 2-D flow analysis

Both web-based modules of JavaFoil and FoilSim offer quick visualization of airfoil and flow analysis. However, each has its shortcomings; JavaFoil can only perform analysis with each time a button is pushed and FoilSim is not able to generate specific any airfoil shapes including NACA's. Also, both JavaFoil and FoilSim are not suitable for flow that has separated.

Fortunately, the other 2-D modules are able to compensate on those flaws. The 2-D Flow Over Airfoil module can provide aerodynamic characteristics continuously once it has started. The 2-D Flow Visualization module through FlowLab is able to show the flow separation. However, the values of the lift, drag and pitching moment coefficients are slightly different as seen in the case study of NACA 2415 airfoil. At the 10 degree angle of attack, flow separation may have occur which indicates the decrease in lift coefficient as shown in Figure 4.3. The CFD stall behavior is more gentle compared to the NACA data. This shows that FlowLab may have predicted the stall angle correctly, but the post-stall behavior does not match up with NACA's results.

Overall, the results are satisfactory for non-CFD researchers or students learning the basics of aerodynamics and CFD. The flow visualization will help users to understand the flow behaviors, especially when the flow is unsteady.

5.2. Recommendations for future work

To further enhance the capabilities of LSVWT, an extensive 3-D model module should be developed. There are very few CFD tools that are user friendly for CFD beginners and the time required to solve the CFD calculations are long (as in many hours, if not days). The following are the possible future development to consider.

5.2.1. 2-D Analysis in LabVIEW and FlowLab

Although there is an Airfoil Generation option, the generated airfoil can only be used in LabVIEW's Panel Method module currently. To use the same airfoil for FlowLab analysis, the user need to edit the airfoil coordinates data text file manually so that FlowLab can use it. A simple computer programming in LabVIEW could automate this process so that the user can have the airfoil coordinates data converted for FlowLab use with a click of a button.

With a better understanding of the condition settings and tweaking in FlowLab, the post-stall behavior could be modeled more closely to the experimental NACA results. With these tweaks, the CFD simulation will be more reliable and able to provide even more convincing aerodynamic characteristics values.

5.2.2. FLUENT and GAMBIT in grid generation

GAMBIT is the primary software in creating geometry and mesh generation for FLUENT. Virtual models can either be built in GAMBIT or imported from other computer-aided design (CAD) programs such as CATIA or Pro/E. Other than the common Cartesian type mesh, GAMBIT is also capable of producing triangular surface meshes and tetrahedral volume meshes.

Once the geometric shape and mesh is completed, FLUENT performs the CFD analysis. Conditions of the test environment and model are tested and this is where the template is created with the choice selections that are later available to FlowLab. The template creation should be left to the experienced CFD users and the non-CFD users can benefit from the simplified case studies of the CFD templates to be used in FlowLab.

To get a 3-dimensional analysis, FLUENT can be used to provide the detail flow field representation. However, FLUENT does require more than minimal proficiency in CFD knowledge in setting up for the computation. A library of models will be provided so that users do not need to know much in model grid generation using GAMBIT.

The Cessna 210 that has been tested annually in the KU large wind tunnel would be a good candidate as the test subject in the 3-dimensional CFD analysis. The results can then be combined with the wind tunnel experimental data to provide a more complete picture of the model's flow behavior in the wind tunnel. The CFD results in the flow analysis, coupled with velocity and pressure will compliment the experimental data in order to provide details on the relationship between aerodynamics and flow characteristics. This should verify whether the CFD setting is correct.

5.2.3. FlowLab in 3-D usage

FlowLab, once again, can play the pre- and post-processing role of CFD analysis as in the 3-D scenario. The results obtained in the 3-D setup will be similar to the 2-D situation with the calculated velocity contour, vectors and streamline except for that difference in which the flow field is in 3-D. The user can take a zoom-in close look at the

flow interference with the virtual test model. FlowLab can provide a simply user interface to analysis the flow compared to FLUENT that is much harder to use.

5.2.4. OpenFlower and Gmsh

OpenFlower (Open Source Flow solver) was a joint effort and product of some CFD research engineers launched in 2004. The open-source nature of the software provides a public platform in which all levels of CFD users can contribute to improve it so that the increasing CFD industrial need can be met. This publicly free software is mainly devoted to the resolution of the turbulent unsteady incompressible Navier-Stokes equations. The grid generation portion is managed by another open-source software called Gmsh that creates 3-D finite element mesh and works with OpenFlower in pre- and post-processing of solutions.

“OpenFlower is a free open-source finite volume CFD software, mainly devoted to the resolution of the turbulent incompressible Navier-Stokes equations, with scalar transport.”⁵ It is a command line solver that would handle geometry and mesh generated by Gmsh, a mesh and grid generator. The current stage of development in 3-D flow analysis is not yet proven to be stable in the aircraft application. Thus, the results from OpenFlower are strictly for evaluation purposes, not for close comparison.

Gmsh, the pre- and post- processor, is consisted of four modules: geometry, mesh, solver and post-processing. It is an automatic 3-D finite element grid generator (primarily Delaunay) with a build-in CAD engine. Since OpenFlower is a command line program (meaning there is not any user interface), the results are shown using Gmsh. One

significant limitation of Gmsh is that it can only post-process 3-D results from OpenFlower.

If the more expensive FLUENT software is unavailable, the alternate choice would be OpenFlower and Gmsh. Although these two programs are free to download, they are not thoroughly tested like FLUENT. The up side to the free programs is that there are more users online that would be able to offer assistance to help any user.

6. References

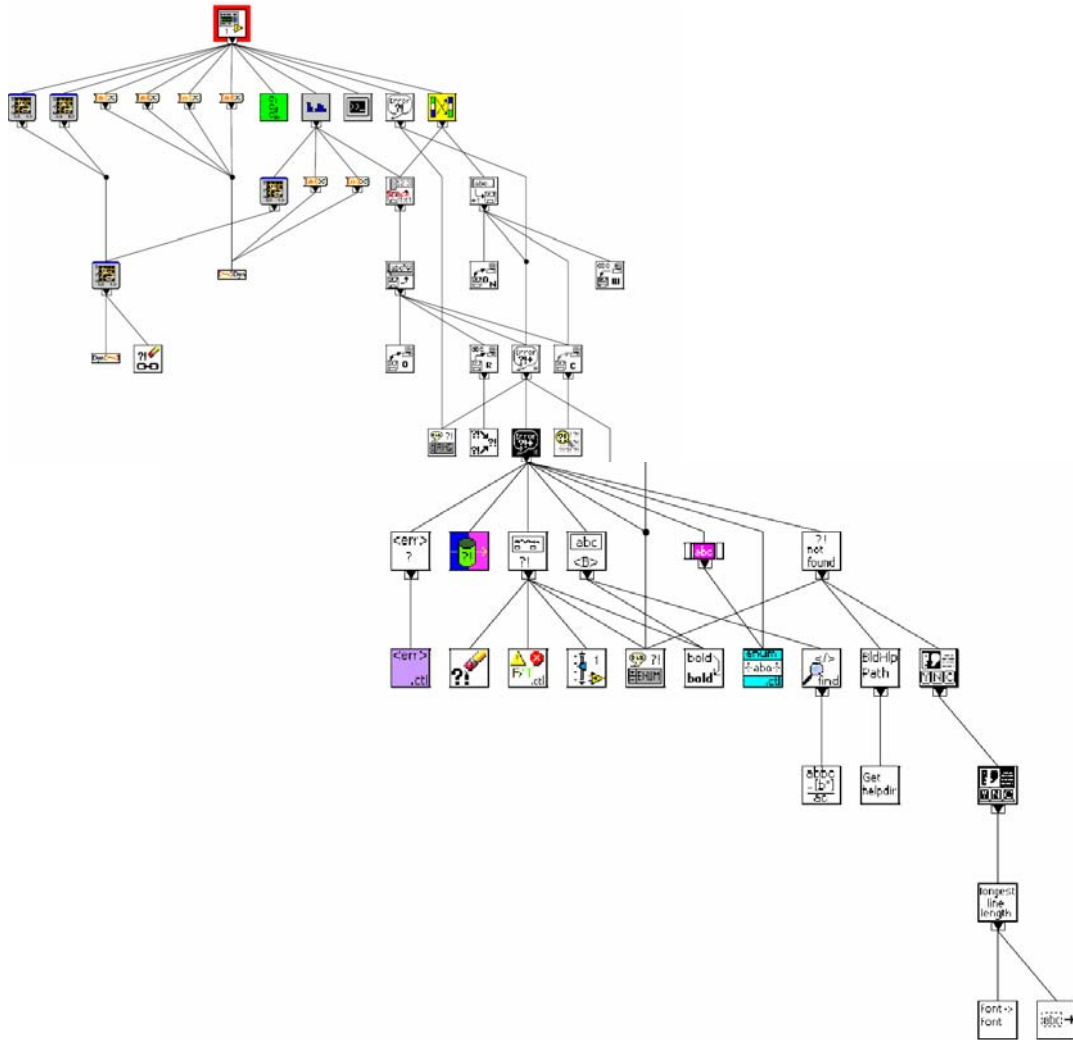
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17. FLUENT GAMBIT 2.2 Documentation, User’s Guide, Fluent, Inc, 2005.

Appendix A: Program Flowchart of LabVIEW for LSVWT Program

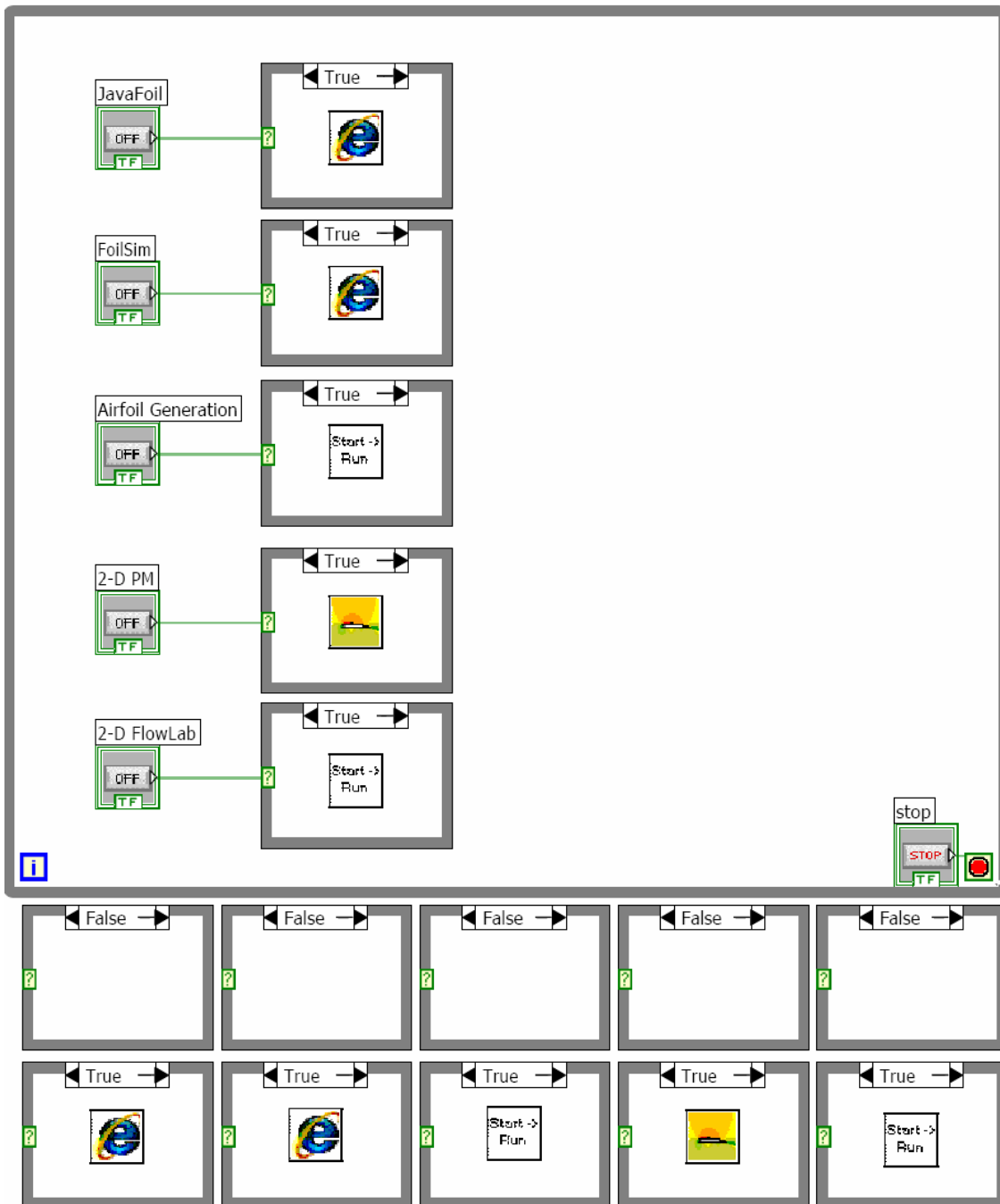
LabVIEW details of the programming

Program Hierarchy



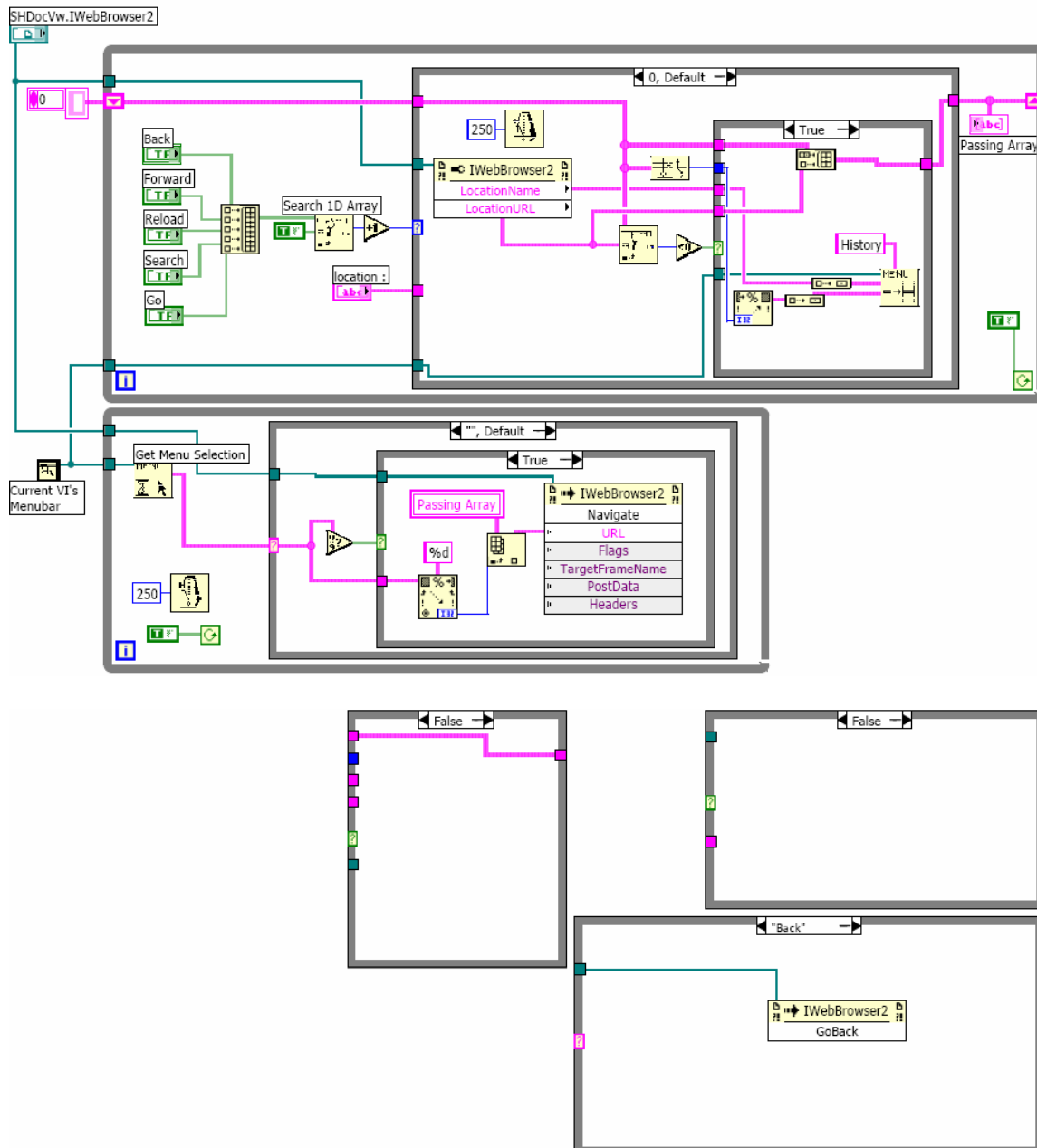
Main menu

Block Diagram

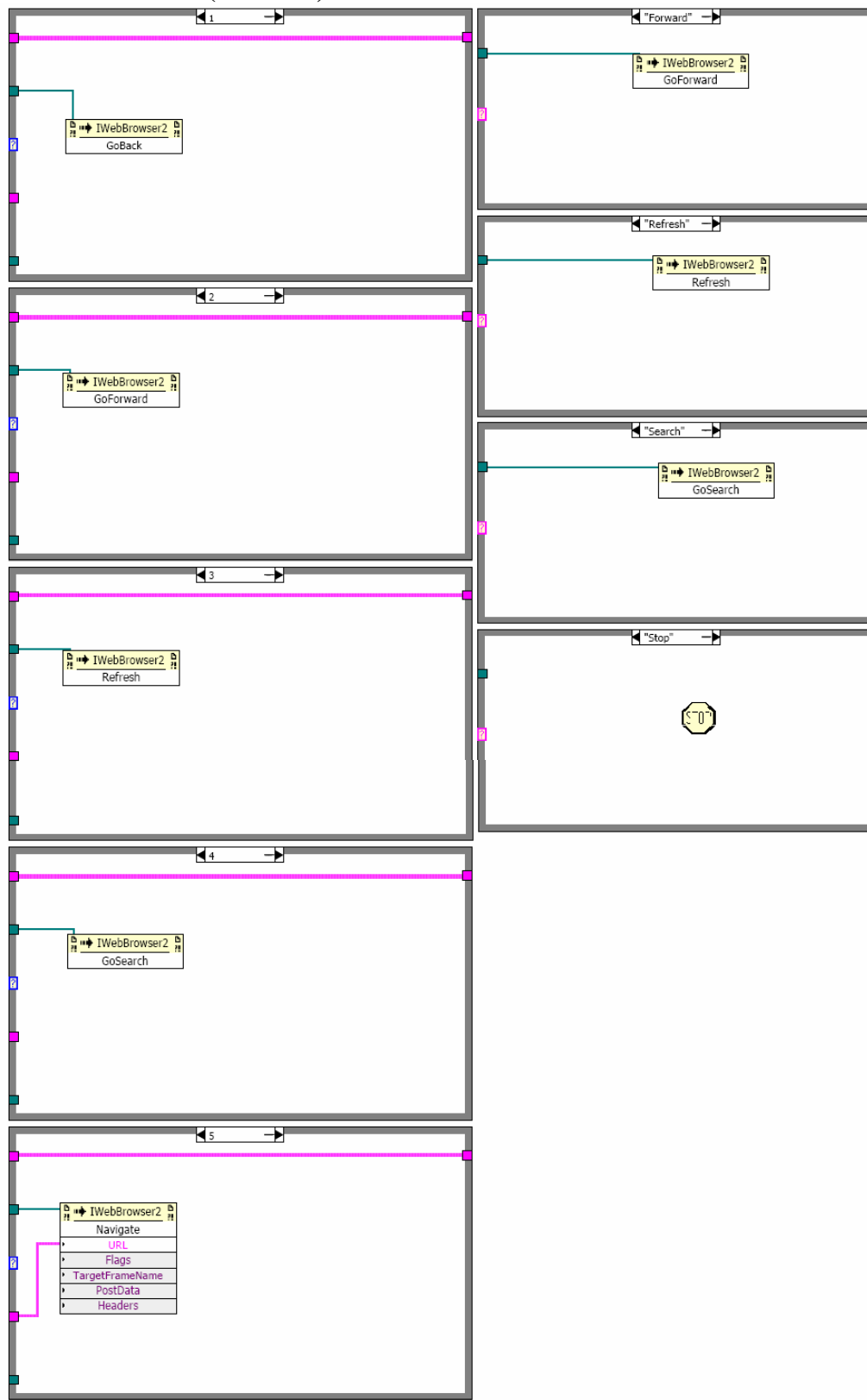


Launch JavaFoil

Block Diagram

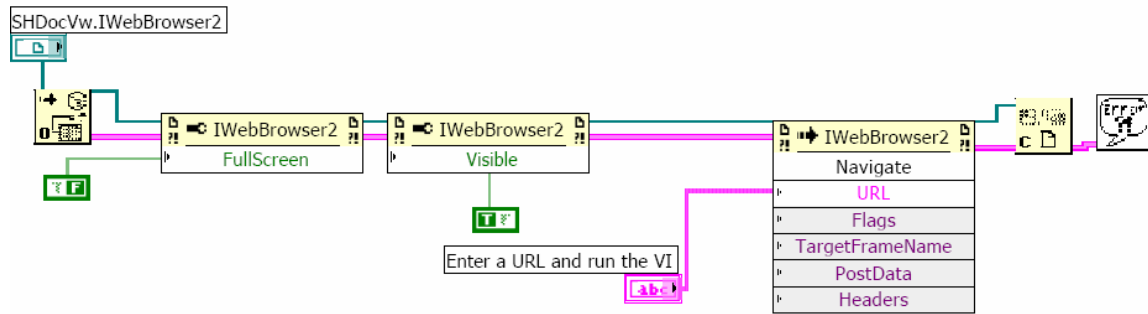


Launch JavaFoil (continue)



Launch FoilSim

Block Diagram



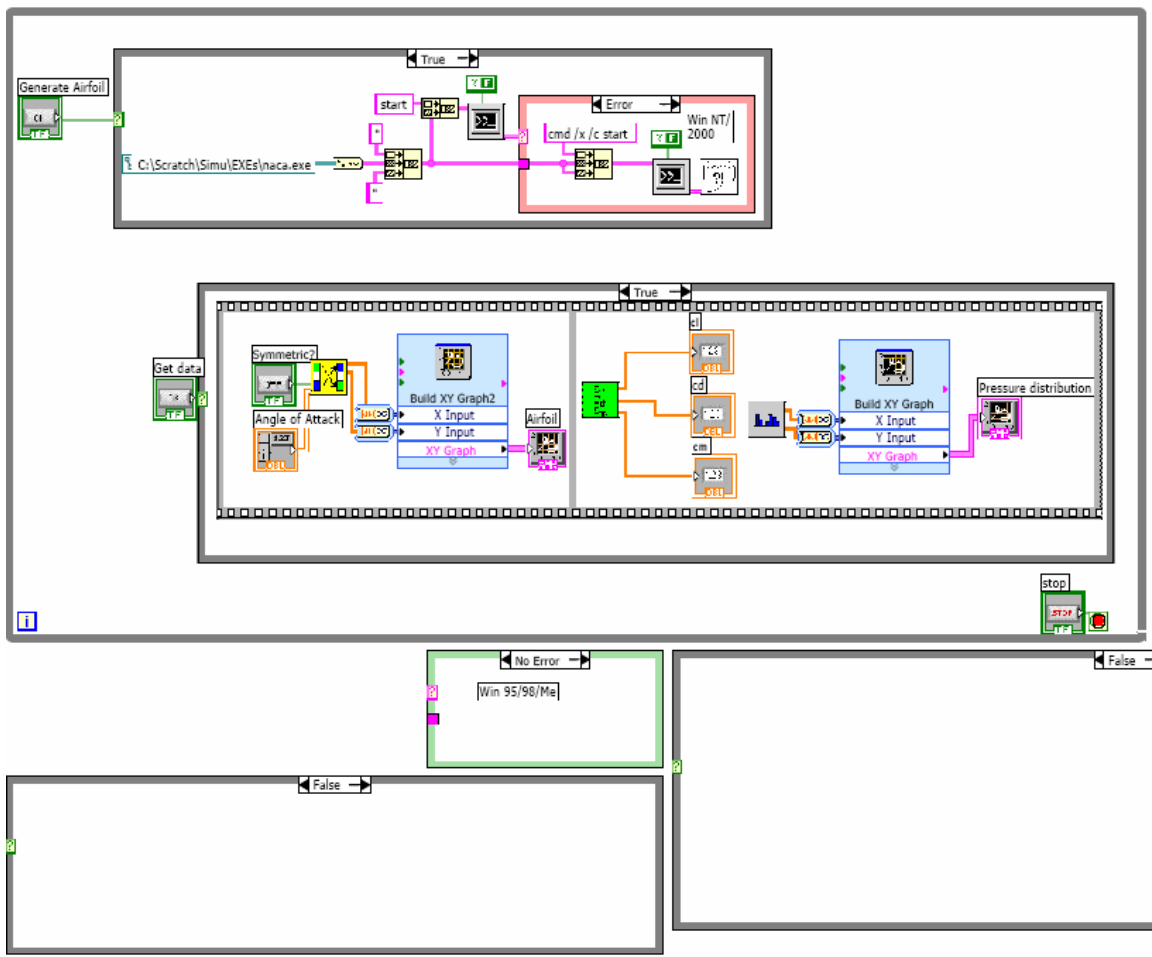
Block Diagram



2-D Panel Method

2D-PM.vi

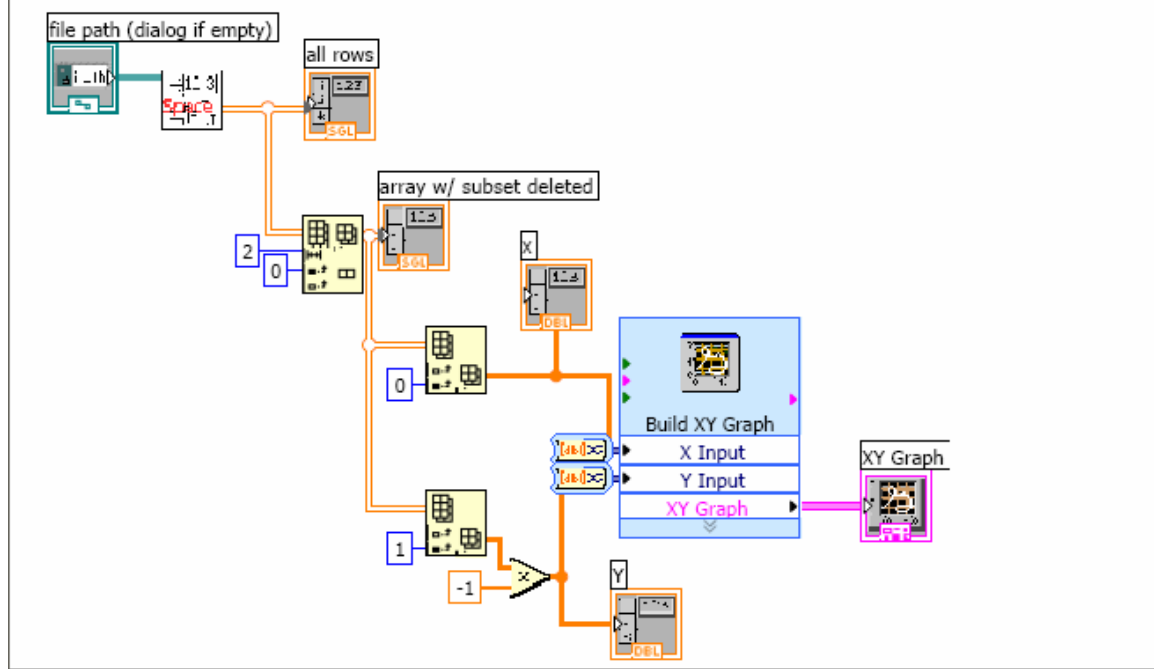
Block Diagram



Airfoil pressure distribution chart

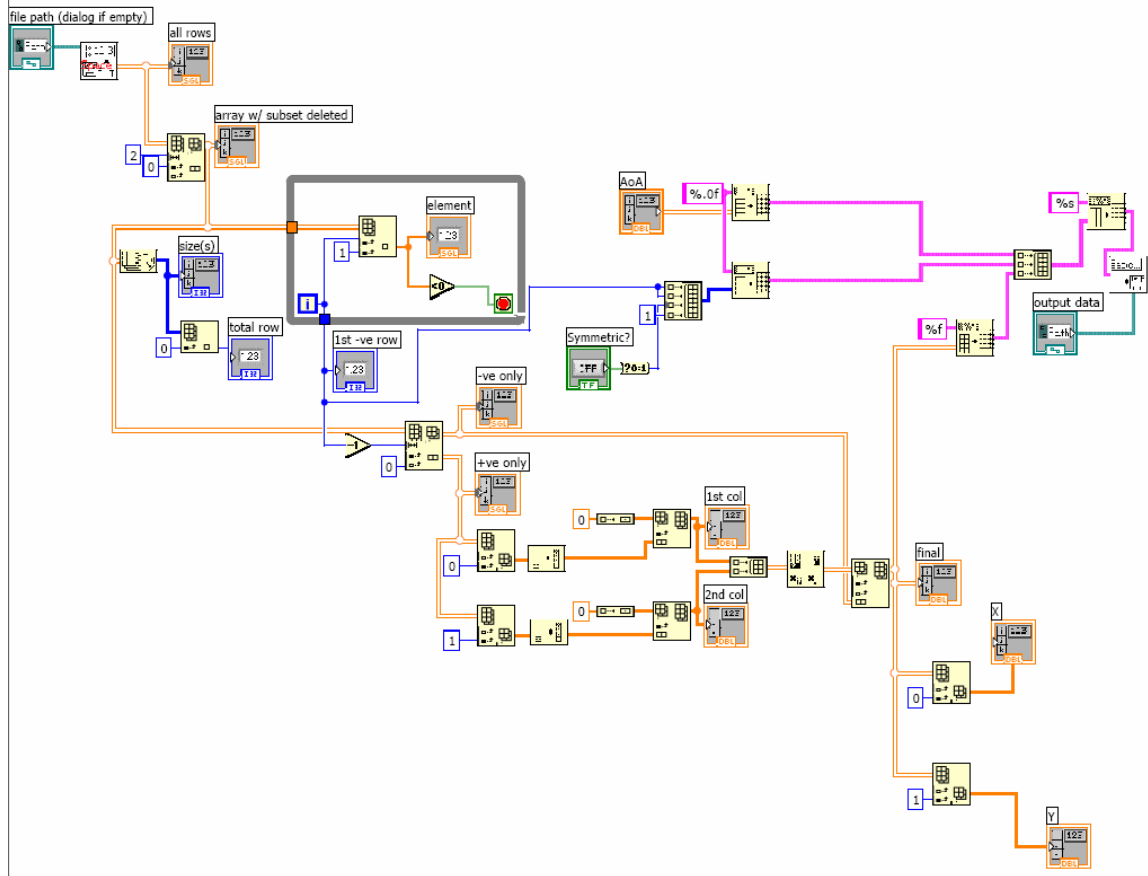
ReadPressure.vi

Block Diagram



Airfoil coordinates conversion from generated to LabVIEW use

Block Diagram



MATLAB source code for Panel Method used in LabVIEW

```
% Panel Code in MATLAB
%
% Open a File and read airfoil coordinates
%
fid = fopen('panel.data.txt','r')
%
% Read Angle of Attack
%
alpha = fscanf(fid,'%f',1);
%
% read number of points on the upper side of airfoil
%
nu = fscanf(fid,'%d',1);
%
% read number of points on the lower side of airfoil
%
nl = fscanf(fid, '%d',1);
%
% read Flag that states if this airfoil is symmetric
% if isym > 0 then airfoil is assumed symmetric
%
isym = fscanf(fid,'%d',1);
%
% Read a scaling factor
% The airfoil y- ordinates will be multiplied by this factor
%
factor=fscanf(fid,'%f',1);

if(isym>0)
    nl = nu;
end
%
% Allocate storage for x and y
%
x = zeros(1,100);
y = zeros(1,100);
%
% Read the points on the upper surface
%
for i = nl:nl+nu-1
    a=fscanf(fid,'%f',1);
    b = fscanf(fid,'%f',1);
    x(i) = a;
    y(i) = b * factor;
```

```

end
if isym == 0
%
% If the airfoil is not symmetric, read lower side ordinates too..
%
    for i = 1:nl
        a=fscanf(fid, '%f',1);
        b = fscanf(fid, '%f', 1);
        x(nl+1-i) = a;
        y(nl+1-i) = b * factor;
    end
else

    for i = 1:nl
        x(nl+1-i) = x(nl-1+i);
        y(nl+1-i) = - y(nl-1+i);
    end
end
fclose(fid);
%
% Plot the airfoil on window #1
%
% plot(x,y);
n=nu+nl-2;
A=zeros(n+1,n+1);
ds=zeros(1,n);
pi=4. * atan(1.0);
%
% Assemble the Influence Coefficient Matrix A
%
for i = 1:n
    t1= x(i+1)-x(i);
    t2 = y(i+1)-y(i);
    ds(i) = sqrt(t1*t1+t2*t2);
end
for j = 1:n
    a(j,n+1) = 1.0;
    for i = 1:n
        if i == j
            a(i,i) = ds(i)/(2.*pi) *(log(0.5*ds(i)) - 1.0);
        else
            xm1 = 0.5 * (x(j)+x(j+1));
            ym1 = 0.5 * (y(j)+y(j+1));
            dx = (x(i+1)-x(i))/ds(i);
            dy = (y(i+1)-y(i))/ds(i);
            t1 = x(i) - xm1;

```

```

t2 = y(i) - ym1;
t3 = x(i+1) - xm1;
t7 = y(i+1) - ym1;
t4 = t1 * dx + t2 * dy;
t5 = t3 * dx + t7 * dy;
t6 = t2 * dx - t1 * dy;
t1 = t5 * log(t5*t5+t6*t6) - t4 * log(t4*t4+t6*t6);
t2 = atan2(t6,t4)-atan2(t6,t5);
a(j,i) = (0.5 * t1-t5+t4+t6*t2)/(2.*pi);
end
end
a(n+1,1) = 1.0;
a(n+1,n) = 1.0;
end
%
% Assemble the Right hand Side of the Matrix system
%
rhs=zeros(n+1,1);
alpha = alpha * pi /180;
xmid=zeros(n,1);
for i = 1:n
    xmid(i,1) = 0.5 * (x(i) + x(i+1));
    ymid = 0.5 * (y(i) + y(i+1));
    rhs(i,1) = ymid * cos(alpha) - xmid(i) * sin(alpha);
end
gamma = zeros(n+1,1);
%
% Solve the syetm of equations
% In MATLAB this is easy!
%
gamma = a\rhs;
cp=zeros(n,1);
cp1=zeros(n,1);
%
% Open a file to write x vs. Cp and the Loads
%
% Change the file name below, to open a new file every time
%
fid=fopen('cp.data.txt','w');
fprintf(fid,' X      CP\n\n');
for i = 1:n
    cp(i,1) = 1. - gamma(i) * gamma(i);
    cp1(i,1) = - cp(i,1);
    xa = xmid(i,1);
    cpa = cp(i,1);
%

```

```

% Write x and Cp to the file
%
% The xa- coordinate is the center points of panel 'i'
% Cpa is the Cp value at that point
%
fprintf(fid,'%10.4f %10.4f\n',xa,cpa);
end
%
% Open a new figure and plot x vs. Cp
%
figure(2);
plot(xmid,cp1);
%
% Compute Lift and Drag Coefficients
%
cy = 0.0;
cx = 0.0;
cm = 0.0;
% We assume that the airfoil has unit chord
% we assume that the leading edge is at i = nl;
for i=1:n
dx = x(i+1) - x(i);
dy = y(i+1) - y(i);
% xarm is the moment arm , equals distance from
% the center of the panel to quarter-chord.
xarm = 0.5 * (x(i+1)+x(i))-x(nl)-0.25;
cy = cy - cp(i,1) * dx;
cx = cx + cp(i,1) * dy;
cm = cm - cp(i,1) * dx * xarm;
end
%
% Print Lift and Drag coefficients on the screen
%
cl = cy * cos(alpha) - cx * sin(alpha)
cd = cy * sin(alpha) + cx * cos(alpha)
cm
cp
x=x'
y=y'
%
% Write lift and Drag coefficients to a file
%
fprintf(fid,' CL      CD  CM\n');
fprintf(fid,'%10.4f %10.4f %10.4f\n', cl,cd,cm);
fclose(fid);

```